Study of the Spin-Memory Effect with Low-energy Gamma-rays in ${}^{177}\text{Hf}(n,\gamma){}^{178}\text{Hf}$ Reaction Measurement

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Results and Discussion

-- 1. Experimental results The strength of SME is quantitatively evaluated from the difference of the intensity ratio of low-energy gamma-rays. The obtained intensity ratios were classified into two groups, J = 3and J = 4, depending on whether the values were closer to those of 1.10-eV or 2.39-eV resonance. The weighted averages of the J = 4 and J = 3 groups were defined as $\langle R^+ \rangle$ and $\langle R^{-} \rangle$, respectively, and $Q = \langle R^{+} \rangle / \langle R^{-} \rangle$. A larger Q would mean that SME appeared stronger.





In a simple model calculation [2], the probability of populating a low-lying level J_f after an n-step cascade is approximately proportional to the number of independent ways by which the capture state J can decay to a final level under the restriction of dipole transitions.

------ 3. Discussion ------Comparison of the simple model calculation results \mathcal{R}_{ab} and experimental results Q

	Cascade step number				~
Gamma-ray information	2-step	3-step	4-step	5-step	Present work
$E_{\gamma a} \; (J_{fa} \rightarrow J_{fa'}) \; / \; E_{\gamma b} \; (J_{fb} \rightarrow J_{fb'})$	$\mathscr{R}_{ab} = R^+_{ab} / R^{ab}$				$Q = \langle R^+ \rangle / \langle R^- \rangle$
326 keV (6 ⁺ \rightarrow 4 ⁺) / 213 keV (4 ⁺ \rightarrow 2 ⁺)	-	2.57	2.11	1.76	2.02±0.02
326 keV (6+ \rightarrow 4+) / 498 keV (3+ \rightarrow 2-)	-	3.50	2.97	2.27	3.29±0.09
213 keV (4+ \rightarrow 2+) / 498 keV (3+ \rightarrow 2-)	2.25	1.36	1.41	1.28	1.63±0.04

The experimental results are in rough agreement with the model calculations. Also, as suggested by past study [3], the stronger SME was found when the gamma-ray pair with the larger spin difference was used. In order to evaluate SME more accurately, it is necessary to create more accurate theoretical calculation methods and to consider how to evaluate the strength of SME.





The SME appears to be weak for Ta

Schematic representation of a 4-step dipole cascade from a The relative population R_{ab} of two final levels J = 3 initial state to both a $J_f = 4$ and a $J_f = 6$ final state. J1 4 5 6 J_{fa} , J_{fb} formed by cascade from the same $2 \ 3$ R_{64}^{-} initial state J is sensitive to J. The ratio \mathcal{R}_{ab} 1-ster = 4/16 = 10/19 between R_{ab}^+ for J = I + 1/2 and R_{ab}^- for 2-step = 0.53= 0.25J = I - 1/2, is not necessary to consider the 3-ster 16 way $\mathcal{R}_{64} = R_{64}^+/R_{64}^- = 2.11$ detection efficiency and many details. 4-ster

 J_{f} ⁴ ⁵ ⁶ It is possible to compare \mathcal{R}_{ab} obtained by this model calculation and Q 2 - 3 1

Summary and Future Plan



• The present results show that the strength of SME is independent of the atomic number Z and that, as suggested in past study [3], when the difference in the

spins of gamma-ray-emitting levels that account for the intensity ratio is larger, SME appeared stronger.

- In the future, we will systematically evaluate SME by measurements using nuclides near and far from the magic number.
- It is necessary to construct more accurate theoretical calculation methods and to study methods for evaluating the strength of SME.

[1] J. R. Huizenga and R. Vandenbosch, Phys. Rev. 120, 1305 (1960). [2] K. J. Wetzel and G. E. Thomas, Phys. Rev. C 1,1501 (1970). [3] U. Olejniczak, et al., Phys. Atom. Nucl., 65, 2044, (2002). [4] S. Kawamura, et al., Proceedings of the 2022 Symposium on Nuclear Data

It is necessary to systematically evaluate SME.