DiffPy-CMI – a software toolbox for real-space structure analysis and Complex Modeling

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Methods for analyzing experimental PDFs

direct readout

bond distances and their variations

big box modeling

- Reverse Monte Carlo (RMC) [Pusztai & McGreevy, Physica B, 234-236, (1997)]
- ~10⁴ atoms in a large box with periodic boundary conditions
- MC position optimization → excellent fit to the experimental PDF
- many degrees of freedom RMC modeling requires constraints to produce physically feasible structures
- interpretation of 10⁴ coordinates bond length and angle statistics

small box modeling

- up to ~100 atoms in a small cell with periodic boundary conditions
- PDF modeling can be focused to a short, specific length scale

simple refinement

- start with reasonably accurate initial structure
- downhill minimization of the model variables to fit observed PDF

structure determination

- extract experimental pair-distances from the PDF
- find shape that reproduces the same set of pair distances

complex refinement

- additional cost terms (atom overlap, bond valence sums,...)
- mixed contributions from molecules and crystalline phases



PDFgui limitations

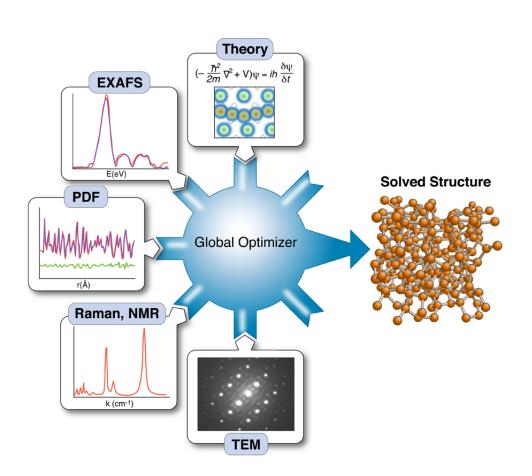
- periodic structures only, no support for isolated particles
- particle size corrections only for spherical shape, no option for ellipsoid, cylinder, prism, etc.
- internal structure representation is very basic no options for molecules, rigid groups, bond length/angle restraints, no internal support for representation as space group with asymmetric unit
- limited math support within constraint formulas
- no way to adjust PDF calculations by user-defined profile functions or improved peak-width formulas
- no option to incorporate other information sources (theory or experiment) into optimization
- PDF-calculation engine PDFfit2 is hard to maintain or extend

advantages

- easy to learn, no need to know any programming language
- [simple] simulations are easy to setup and process



Complex modeling



Problem

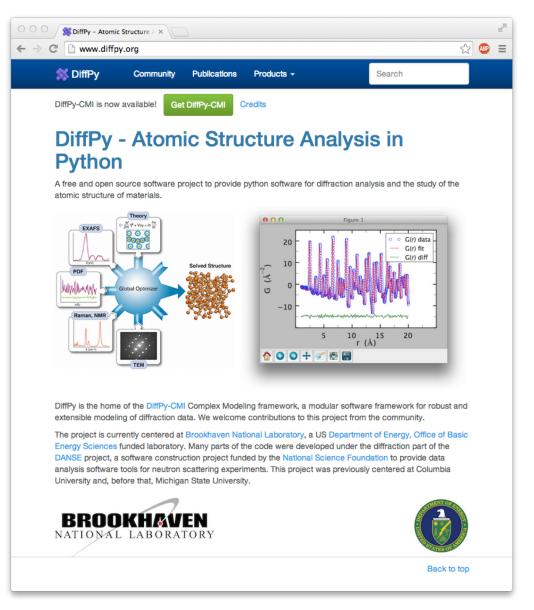
 not enough information in the available experimental data

Remedy

- collect data from multiple experimental techniques
- use additional knowledge about the studied material - chemical constraints, rigid units, bondvalence sums, energy calculation
- combine all experimental and theoretical inputs about the structure in one optimization scheme
- requires flexible software tools to setup custom models adaptable for specifics of studied materials.



DiffPy-CMI – Complex Modeling Infrastructure



- tools for PDF, BVS, SAS simulations, structure data handling, multi-input optimizations
- Python and C++, object-oriented, reusable, extensible libraries
- available from https://www.diffpy.org for Linux, Mac, UNIX systems

upgrade release March 2019

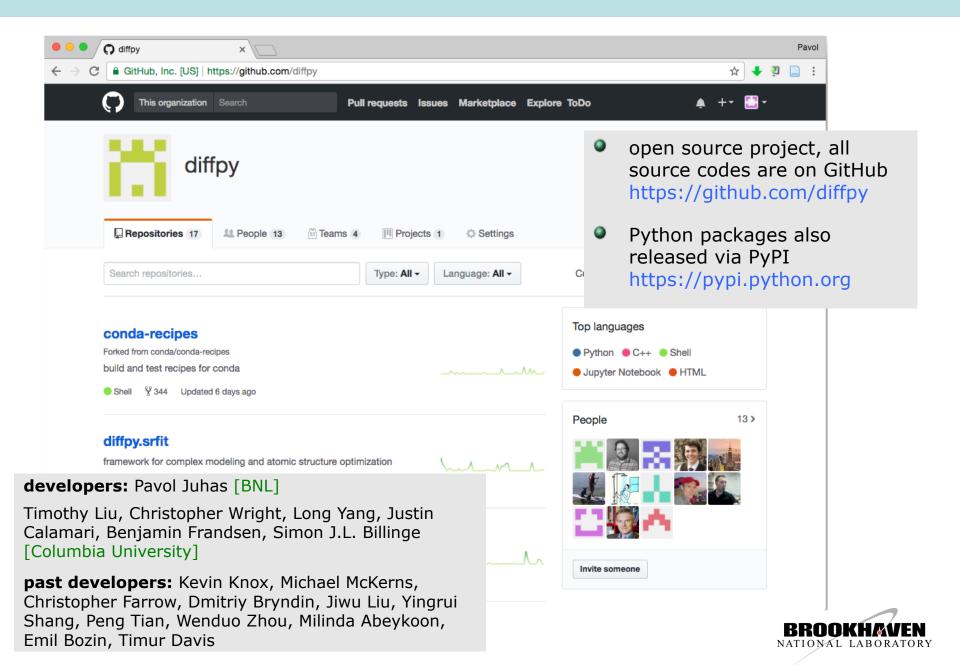
added support for Python 3

Anaconda Python installation

\$ conda install -c diffpy diffpy-cmi



DiffPy-CMI – open source project



DiffPy-CMI software

DiffPy-CMI is

- Complex Modeling Infrastructure a software toolbox for multi-probe structure analysis
- collection of Python and C++ libraries responsible for tasks needed in structure analysis (structure representation, forward calculators, refinement configuration)
- highly configurable, extensible. Amendable for extensions, such as more calculators and more structure representations. Calculations of structurederived properties can be tweaked at runtime.

advantages

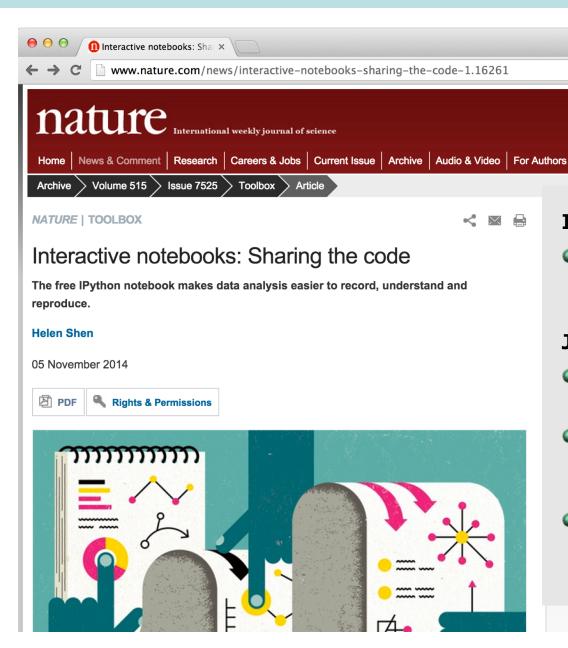
- allows simulations not viable in PDFgui
- plenty of options for configuring refinements, structure models, simulations, interfacing with other analysis programs...

drawbacks

- steep learning curve
- no GUI, can be only used from Python scripts
- requires fair knowledge of Python



IPython notebooks - data analysis sharing



IPython

powerfull Python shell with many data analysis features

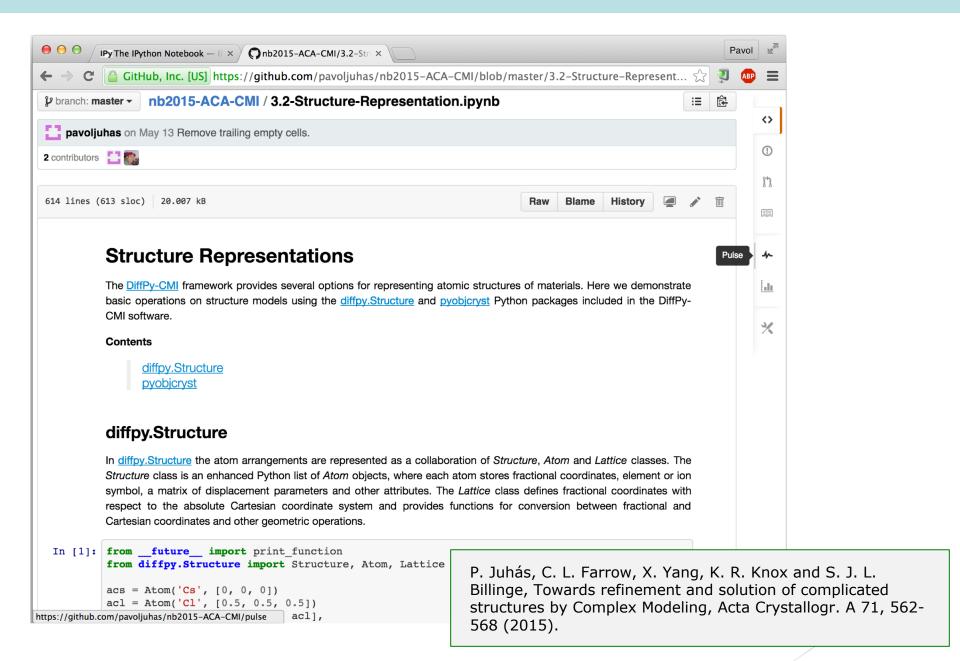
Jupyter notebooks

- similar to Mathematica notebook format
- data analysis code and its outputs, formatted notes, images, media
- NB rendering and sharing at https://nbviewer.jupyter.org https://github.com

science Nature |



IPython notebooks - data analysis sharing



DiffPy-CMI – functionality overview

Structure Representation

- diffpy.structure → simple storage of P1 periodic structures, finite clusters, input and ouput for CIF, PDB, xyz, pdffit, discus formats. Space group definitions, symmetry expansion, generation of symmetry-based constraints.
- pyobjcryst -> advanced structure representations, crystals with space group, crystals containing rigid molecules, bond-length and bond-angle restraints, z-matrix representation. Input and output in custom XML and CIF formats. Python interface to the ObjCryst++ crystallographic library by V. Favre-Nicolin.

Forward Calculators

- diffpy.srreal → calculators of pair-interaction-derived quantities, such as PDF, Debye sum, bond lengths, bond valence sums, overlap of empirical atom radii.
- pyobjcryst → powder and single-crystal diffraction patterns.
- srfit-sasview → selected functions for Small Angle Scattering simulations from the SasView program, http://www.sasview.org

Fit configuration and management

■ diffpy.srfit → setup and control of general fitting problems, control of constraints and restraints, setup of refinements to multiple data sources, simple analysis of fit results.

C++ libraries

- libdiffpy computationally expensive parts PDF, BVS, etc.
- libObjCryst free objects for crystallography by Vincent Favre-Nicolin,
 [J. Appl. Cryst. 35 (2002), 734-743].



PairQuantity

the base calculator – shared recipe for evaluating physical quantities based on pair-interactions. Used as a blueprint for all calculators.

$$P(r_1, r_2, \dots, r_N) = \sum_{i,j}^{N} p(r_{ij})$$

- support for partial sums
- optional upper and lower distance bounds
- support for parallel evaluation

related:

- class StructureAdapter
 - translate structure representations to a calculator-compatible format
 - implemented for PDFgui Structure representation and for Crystal and Molecule objects in the ObjCryst C++ library [V. Favre-Nicolin, J. Appl. Cryst. 35 (2002), 734-743]
 - extensible for any structure representation method in Python or C++



BondCalculator

- calculate oriented bond vectors up to a specified distance limit
- optional filtering by atom types, site indices, direction cones

```
>>> from pyobjcryst import loadCrystal
>>> from diffpy.srreal.bondcalculator import BondCalculator
>>> rutile = loadCrystal('TiO2_rutile.cif')
>>> bc = BondCalculator(rmax=2)
>>> bc(rutile)
array([ 1.94720295, 1.94720295, 1.94720295, 1.94720295, 1.94720295, 1.94720295, 1.98177183, 1.98177183])
>>> for i in zip(bc.distances, bc.types0, bc.types1, bc.directions):
        print(i)
                             'o', array([-0.8951757, 0.8951757,
                                , array([-0.8951757,
                                , array([
                                , array([
                                , array([
                                , array([ 0.8951757,
                                , array([-1.4013243, -1.40132
                                , array([ 1.4013243, 1.4013243,
                               '. array([-1.4013243, -1.4013243,
```



OverlapCalculator

- calculate overlap of empirical atom radii
- other results: site square overlap, coordination numbers, coordination histograms, neighborhoods of touching sites, overlap gradients
- related: class AtomRadiiTable and its specializations
 ConstantRadiiTable, CovalentRadiiTable
 - radius lookup by atom symbol
 - support for custom atom radii

```
>>> from diffpy.structure import loadStructure
>>> from diffpy.srreal.overlapcalculator import OverlapCalculator
>>> sto = loadStructure('SrTi03.cif')
>>> oc = OverlapCalculator()
>>> oc.atomradiitable.fromString("Sr2+:1.44, Ti4+:0.605, 02-:1.35")
>>> oc(sto)
array([ 4.89062513e-03, 1.67088000e-05,
                                           1.63577798e-03,
                          1.63577798e-031)
        1.63577798e-03.
>>> oc.meansquareoverlap
0.0019629335719733893
>>> oc.coordinations
                                6.1)
array([ 12., 6., 6., 6.,
>>> oc.coordinationByTypes(4)
{'Ti4+' 2.0 'Sr2+' 4.0}
```

BVSCalculator

 bond valence sums – approximate formula for ion valences

```
Brese, Acta Cryst. B47, 192-197 (1991)
```

$$v_{ij} = \exp\left[\frac{R_{ij} - d_{ij}}{b}\right]$$
 $V_i = \sum_{j} v_{ij}$

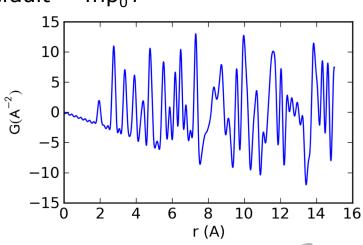
- evaluates valence at each site, BVS difference, mean square BVS difference which accounts for partial occupancies and site multiplicities
- related: class BVParametersTable
 - lookup of bond valence parameters, [bvparm2009.cif by I. D. Brown]
 - option to define and revert custom BVS parameters



PDFCalculator

- PDF calculation in real-space
 - suitable for periodic systems
 - $G(r) = \frac{1}{Nr\langle b \rangle^2} \sum_{i \neq j} b_i b_j \, \delta(r r_{ij}) 4\pi r \rho_0$ one structure per calculator → mixed-phase PDFs obtained by summing single-phase PDFs
- other results: radial distribution function, partial PDFs, F(Q)
- class ScatteringFactorTable
 - lookup of xray, netron or electron scattering factors
 - support for custom scattering factors
- class PeakProfile the profile function for a pair contribution
- class PeakWidthModel calculates profile width for a given atom pair
- class PDFEnvelope one or more r-dependent scaling envelopes
- class PDFBaseline the baseline function, by default $-4\pi\rho_0 r$

```
>>> from diffpy.Structure import Structure
>>> from diffpy.srreal.pdfcalculator import PDFCalculator
>>> sto = Structure(filename='SrTi03.cif')
>>> pdfc = PDFCalculator(rmax=15, gmax=25)
>>> r, q = pdfc(sto)
>>> import pylab
>>> pylab.plot(r, g)
```





DebyePDFCalculator

PDF calculation in Q-space – F(Q) calculated by Debye scattering equation and Fourier transformed to G(r)

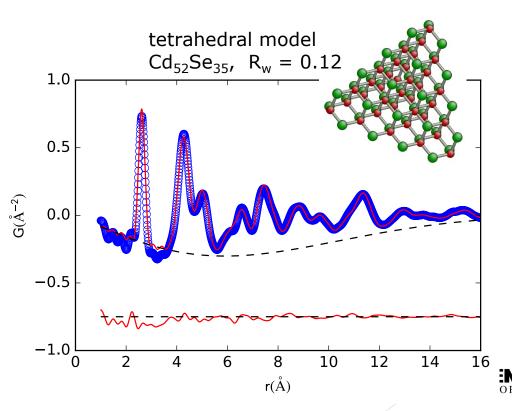
$$F(Q) = \frac{1}{N\langle f(Q)\rangle^2} \sum_{i,j} f_i(Q) f_j(Q) \frac{\sin Q r_{ij}}{r_{ij}} \exp\left[-\frac{1}{2} \sigma_{ij}^2 Q^2\right] \qquad G(r) = \frac{2}{\pi} \int_{Q_{\min}}^{Q_{\max}} F(Q) \sin Q r \, dQ$$

- suitable for molecules or nano-clusters
- PDF baseline simulated by Q_{min} cutoff in the calculated S(Q)

example:

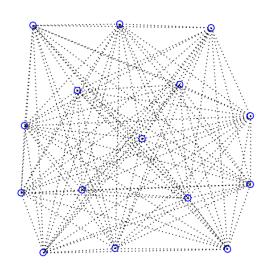
- structure refinement of CdSe quantum dots
- simulated PDF reflects particle shape in amplitude dampening and baseline shape

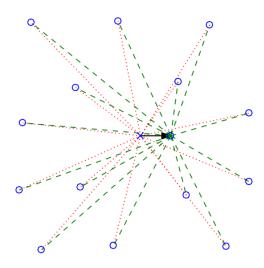
A. Beecher, J. Am. Chem. Soc., 2014, 136 (30), 10645–10653



Optimized PDF evaluation

PDF is calculated from a sum of N^2 pair contributions \rightarrow it is computationally expensive for larger models

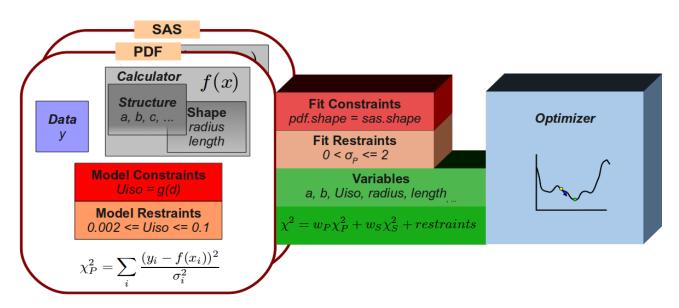




- real-space and Debye PDF calculators support optimized PDF calculation.
- when few atoms change, their old contributions are subtracted and new ones added to the PDF. Computational cost is reduced from $N^2 \rightarrow N$.
- optimized PDF calculation is about 1000 faster for one-atom updates in 10,000-atom structure.

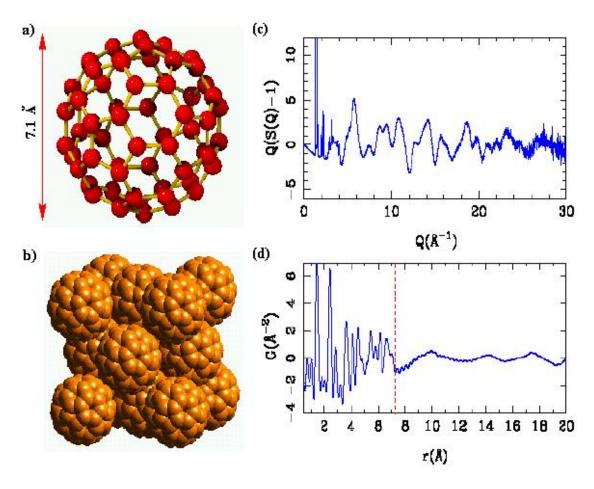
SrFit – multi-component fit manager

- Python module for general multi-component data refinement
- construct FitContribution by associating observed data with simulation
 - models can be defined with built-in calculators, math expressions,
 Python functions
 - model parameters are exposed to SrFit. Parameters can be constrained or restrained, e.g., "a = b = c'' for cubic structure
- FitContributions are combined to a single total cost function (residual vector or scalar value) with interface suitable for optimization routines
- control functions to fix/free variables, define constraints, restraints, hook functions
- post-processing to generate fit result reports partial costs per each contribution, error estimates and correlations of the fit variables.





PDF modeling of fcc-C₆₀



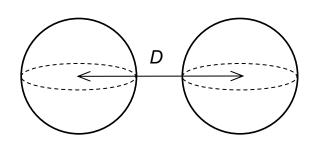
- neutron PDF measured on C₆₀ fcc structure [GLAD IPNS, E. Bozin]
- low-r sharp peaks correlations within C₆₀
- high-r broad peaks correlations between randomly oriented balls

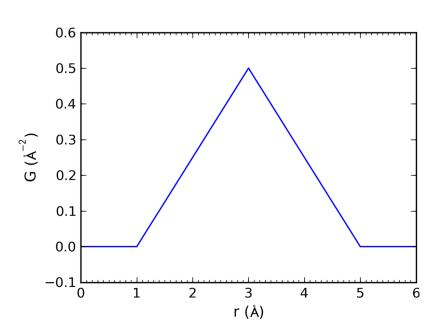
Can we simulate PDF on a full measured range?

 calculate as a sum of single particle PDF and PDF from a lattice of spherical shells



PDF peak profile for spherical shells





 PDF of two spherical shells can be calculated analytically

$$G(r) = \frac{1}{S_1 S_2 r} \iint_{S_1 S_2} \delta(r - r_{12}) \, dS_1 dS_2$$

triangular profile centered at spheres' distance *D*

- cluster of spherical shells >
 PDF calculation requires
 triangular profile function
- non-standard PDF profile requires
 - definition of the profile function
 - select it for a PDFCalculator instance



Custom PDF peak profile

profile defined in C++

```
#include <cmath>
#include <diffpy/srreal/PeakProfile.hpp>
using diffpy::srreal::PeakProfile;
using diffpy::srreal::PeakProfilePtr;
class SphericalShellsProfile : public PeakProfile {
public:
    PeakProfilePtr create() const {
        return PeakProfilePtr(new SphericalShellsProfile());
   PeakProfilePtr clone() const {
        return PeakProfilePtr(new SphericalShellsProfile(*this));
    const std::string& type() const {
        static std::string tp = "sphericalshells-cpp";
        return tp;
    double yvalue(double x, double fwhm) const
        if (fabs(x) > fwhm) return 0.0;
double rv = (fwhm - fabs(x)) / (1.0 * fwhm * fwhm);
        return rv;
    double xboundlo(double fwhm) const { return -fwhm; }
    double xboundhi(double fwhm) const
                                         { return +fwhm; }
bool req_SawToothProfile = SphericalShellsProfile().registerThisType();
```

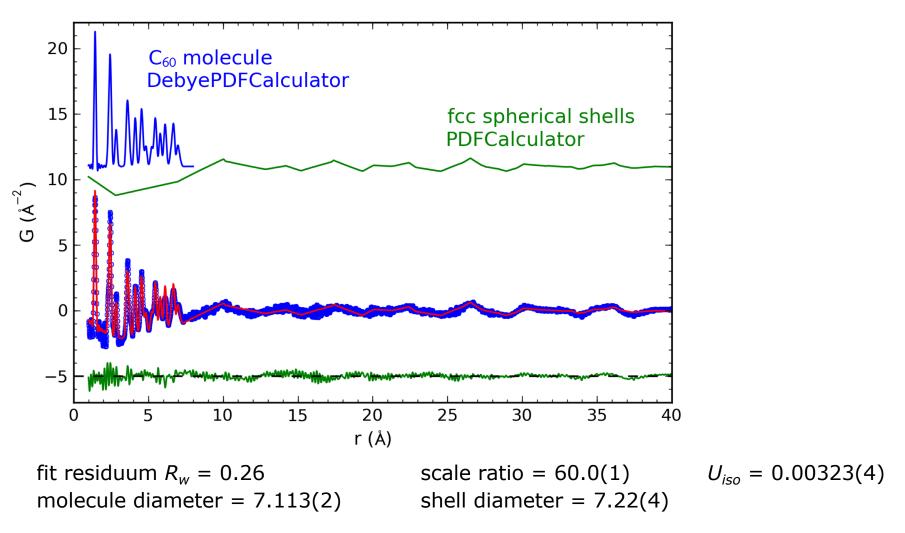
profile used in Python

```
>>> from diffpy.srreal.pdfcalculator import PeakProfile, PDFCalculator
>>> PeakProfile.getRegisteredTypes()
set(['croppedgaussian', 'gaussian'])
>>> import ctypes
>>> ctypes.cdll.LoadLibrary('./sphericalshells-cpp.so')
>>> PeakProfile.getRegisteredTypes()
set(['sphericalshells-cpp', 'croppedgaussian', 'gaussian'])
>>> pdfcalc = PDFCalculator()
>>> pdfcalc.setPeakProfileByType('sphericalshells-cpp')
```

- new profile functions can be defined either in Python or C++
- for C++ the profile function is compiled as a dynamic link library sphericalshells-cpp.so
- on loading the library adds new profile to the global registry → profile ready for use in Python
- no need to compile any other C++ sources related to PDFCalculator
- no need to write any Python wrappers for the new profile function



PDF refinement of fcc C₆₀



 PDF from fcc C₆₀ can be refined on the full measured range accounting for both intra and inter-molecular correlations



PDF analysis of organic crystals



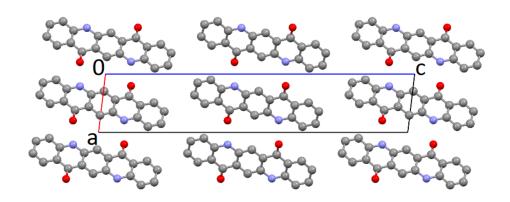
quinacridone - C₂₀H₁₂N₂O₂

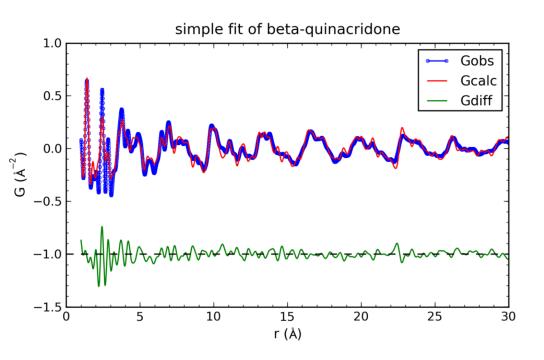
- industrially important pigments, red and violet paints
- can form many phases, some (alpha-II) do not crystallize and have unknown structure
- experimental PDFs measured at APS ANL beamline 11-ID-B and NSLS BNL beamline X17A
- standard refinement with PDFgui is of poor quality even for the known β-phase

collaboration with Prof. Martin U. Schmidt and Dr. Dragica Prill, Goethe Universität, Frankfurt am Main



PDF modeling of β-quinacridone

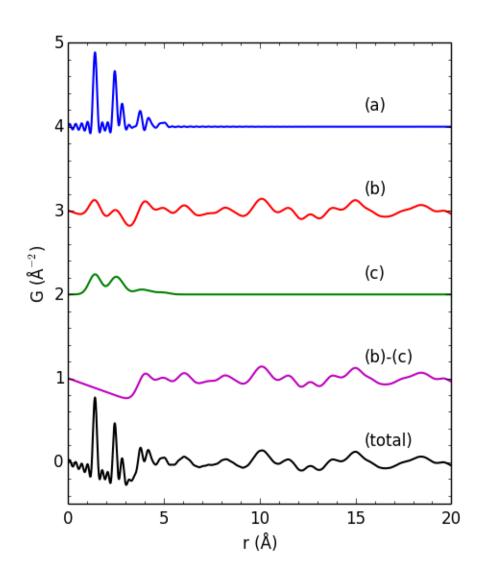




- monoclinic P2₁/c, 2 molecules per unit cell
- refinement in PDFgui gives poor $R_w = 0.41$
 - low-r peaks too wide
 - high-r peaks too sharp
- simple model assumes independent isotropic thermal vibrations
- peak widths depend strongly on r
 - sharp peaks for intra-molecular atom pairs
 - broad peaks for inter-molecular correlations
- PDF model has to use different displacement factors for pairs in the same molecule and intermolecular pairs
- molecule must not deform when cell parameters change



PDF modeling of β-quinacridone

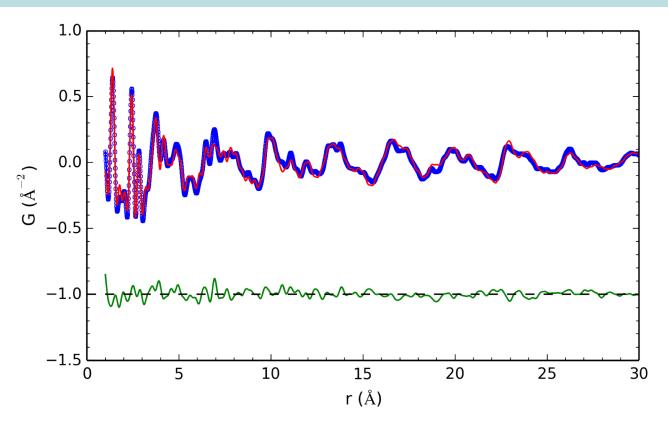


PDF calculation with separate intraand inter-molecular contributions

- (a) PDF from a single-molecule, small atom displacements U_{intra}
- **(b)** PDF from a crystal with large displacements U_{inter}
- (c) PDF from a molecule with large displacements U_{inter}
- **(b) (c)** PDF from inter-molecular interactions only
- (a) + (b) (c) total PDF reflecting both displacements U_{intra} , U_{inter}



PDF modeling of β-quinacridone



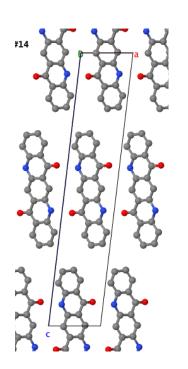
refined unit cell, data scale and displacement factors

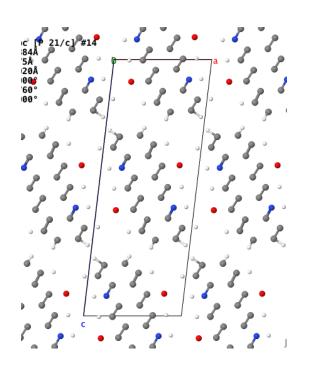
$$U_{inter} = 0.0014(2) \text{ Å}^2$$
 $U_{intra} = 0.023(2) \text{ Å}^2$

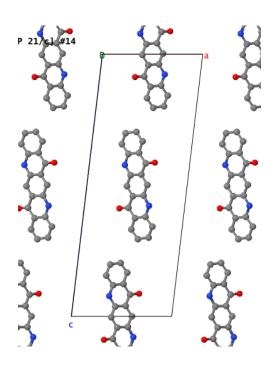
- significant fit improvement $R_w = 0.41 \rightarrow R_w = 0.28$
- remnant fit difference due to anisotropic molecule displacements,
 displacement anisotropy can be studied with improved models



Structure representation with rigid molecules





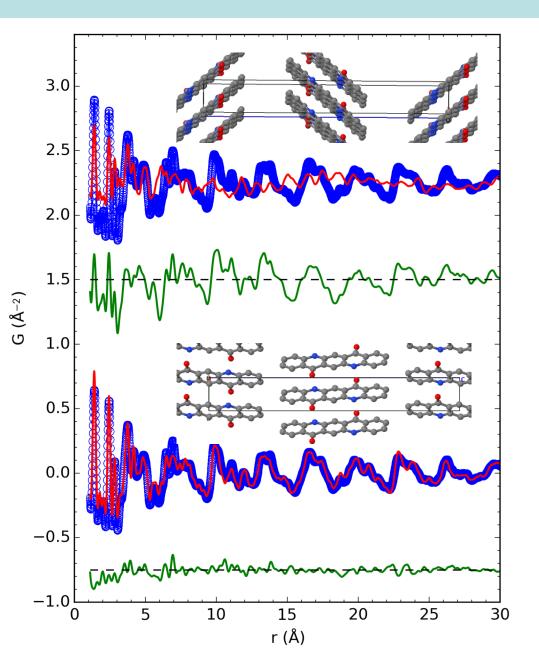


- structure representation needs to handle molecules as a rigid unit within crystal lattice → pyobjcryst in DiffPy-CMI, an interface to ObjCryst++
- molecule retains its shape when cell parameters change
- molecule placement is defined by its center-of-mass and orientation quaternion

V. Favre-Nicolin, J. Appl. Cryst. 35, 734-743 (2002)



Solution of molecule orientation in \(\beta \)-quinacridone

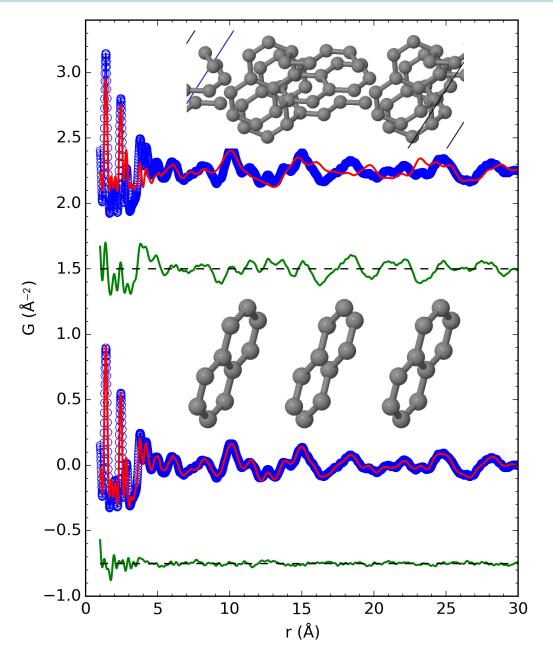


- apply random rotation on the quinacridone molecule in asymmetric unit
- preserve P2₁/c symmetry
 - molecule position fixed at inversion center
 - use symmetric rotation for the second molecule in the UC
- refine molecule orientation, cell parameters, ADPs: $R_w = 0.83 \rightarrow R_w = 0.27$
- optimized structure converged to β-quinacridone

D. Prill *et al.*, Acta Crystallogr. A 72, 62-72 (2016)



Solving molecule placement in naphthalene



- structure solution in P1
- 2 molecules in the unit cell with independent positions and orientations, 9 DOF
- start from a random initial placement of the UC molecules
- refine orientations, position, 6 cell parameters, ADPs: $R_w = 0.61 \rightarrow R_w = 0.16$
- optimized structure converged to P2₁/a naphthalene

D. Prill *et al.*, Acta Crystallogr. A 72, 62-72 (2016)

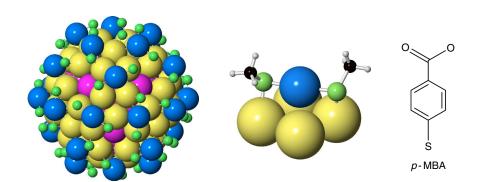


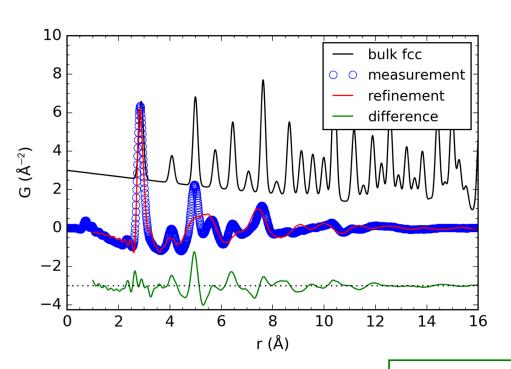
Structure solutions of molecular crystals

sample	symmetry	molecules	DOF	success rate
β-quinacridone	P2 ₁ /c	1	3	6.4% (14/220)
naphthalene	P2 ₁ /a	1	3	33% (79/240)
naphthalene	P1	2	9	2.5% (7/280)
allopurinol	P2 ₁ /c	1	3	3.6% (12/329)
allopurinol	P1	4	21	0.4% (2/534)

- structure determination of molecular crystals
 - start from random initial placement of molecule(s) in the unit cell
 - fit the PDF, optimize rotation, position, cell parameters, intra- and inter-molecular ADPs
 - repeat to search for best convergence
- correct solutions were found also at lowered symmetry and enlarged
 DOF for molecular placement

Polymorphism in Au₁₄₄(SR)₆₀



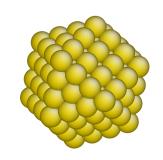


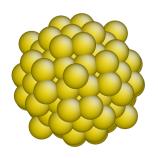
- Au₁₄₄(SR)₆₀ is ultra-stable (magic size), easy to prepare nanocluster system
- does not crystallize, published NMR+DFT studies claim icosahedral structure [Bahena et al., J. Phys. Chem. Lett., 4, 975-981 (2013)
- Au₁₄₄(p-MBA)₆₀ produced by Prof. Ackerson group, Colorado State Univ., Fort Collins.
- X-ray PDF from Au₁₄₄(p-MBA)₆₀ is dramatically different and inconsistent with icosahedral model.
- measured peaks line-up with prominent peaks in bulk Au-fcc → actual structure should contain close-packed motifs.

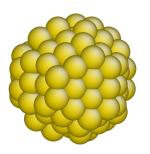
K. Jensen and P. Juhas *et al*, Nat. Commun., 7:11859 (2016)



Polymorphism in Au₁₄₄(SR)₆₀





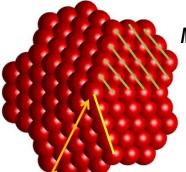


Au₁₄₇ cuboctahedron

Au₁₄₁ fcc

Au₁₄₇ hcp

Marks decahedron (N, M, K, T)



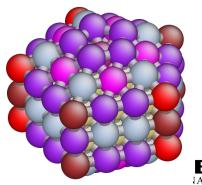
M – number of {002} shells

T – number of planes truncated from the top and bottom of decahedron

 \emph{K} – number of columns along the twin boundary

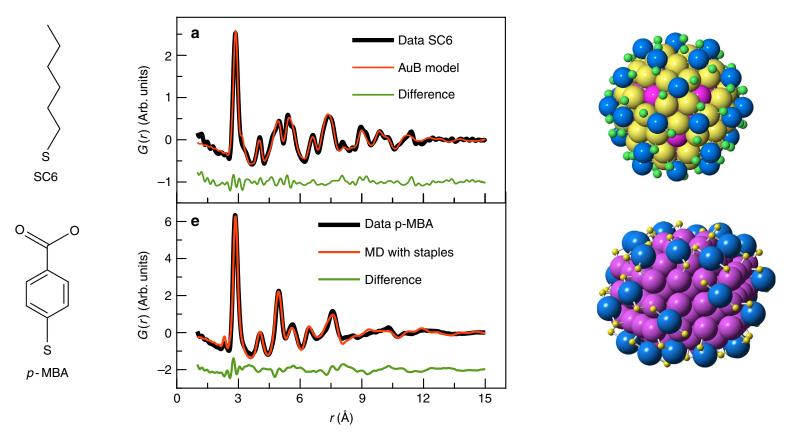
N – atoms in the central column

- DiffPy-CMI used for PDF refinement of gold clusters (expansion ratio, isotropic displacements for core and surface atoms)
- PDF fit evaluated for simple closed packed structures and a series of generated Marks decahedra (MD)
- very good PDF fit for 144-atom MD6441. Close PDF fit also after stripping to 114-atom MD6341, which has room for 30 S-Au-S surface "staples".





Polymorphism in Au₁₄₄(SR)₆₀



- PDF has not enough resolution to determine surface structure, i.e., staples-ligand placement. The 114-atom MD core is required for good fit.
- follow-up PDF measurements on Au₁₄₄(SR)₆₀ samples produced with different ligands showed the previous icosahedral phase and a mixture of icosahedral and MD phases → polymorphism happens also for nanoclusters.

K. Jensen and P. Juhas et al, Nat. Commun., 7:11859 (2016)



MPDF – magnetic Pair Distribution Function



 developed by Benjamin Frandsen, Columbia University (now Brigham Young University)
 [Acta Crystallogr. A 70, 3-11 (2014)]

- magpdf extension to DiffPy-CMI for simulation and refinement of magnetic PDFs
- magpdf can be obtained from https://github.com/benfrandsen/diffpy.magpdf



How can we analyze diffuse magnetic scattering?

Diffuse scattering from **atoms** and **nuclei**

Fourier transform

Atomic PDF

Diffuse scattering from magnetic moments

Fourier transform

Magnetic PDF



Expression for the magnetic PDF

Magnetic PDF is defined analogously to the atomic PDF:

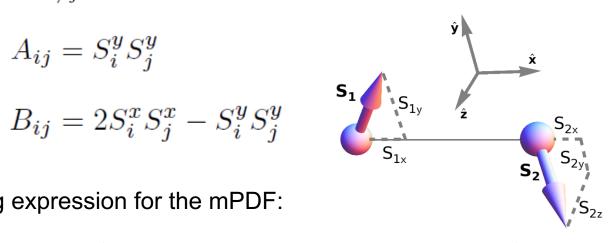
$$f(r) = \frac{2}{\pi} \int_0^\infty Q\left(S(Q) - 1\right) \sin Q r dQ$$

where S(Q) is the *magnetic* structure function, given by

$$S(Q) = 1 + \frac{1}{N} \frac{3}{2S(S+1)} \sum_{i \neq j} \left[A_{ij} \frac{\sin Qr_{ij}}{Qr_{ij}} + B_{ij} \left(\frac{\sin Qr_{ij}}{(Qr_{ij})^3} - \frac{\cos Qr_{ij}}{(Qr_{ij})^2} \right) \right]$$

$$A_{ij} = S_i^y S_j^y$$

$$B_{ij} = 2S_i^x S_j^x - S_i^y S_j^y$$



This results in the following expression for the mPDF:

$$f(r) = \frac{1}{N} \frac{3}{2S(S+1)} \sum_{i \neq j} \left(\frac{A_{ij}}{r} \delta(r - r_{ij}) + B_{ij} \frac{r}{r_{ij}^3} \Theta(r_{ij} - r) \right) \text{HAVEN}$$

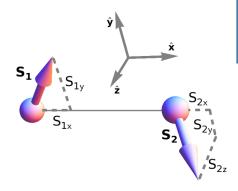
Simple examples of the mPDF

ATOMIC
$$f(r) = \frac{1}{N\langle b \rangle^2} \sum_{i \neq j} \frac{b_i b_j}{r} \delta(r - r_{ij})$$

MAGNETIC
$$f(r) = \frac{1}{N} \frac{3}{2S(S+1)} \sum_{i \neq j} \left(\frac{A_{ij}}{r} \delta(r - r_{ij}) + B_{ij} \frac{r}{r_{ij}^3} \Theta(r_{ij} - r) \right)$$

$$A_{ij} = S_i^y S_j^y$$

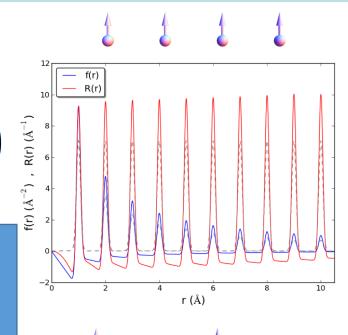
$$B_{ij} = 2S_i^x S_j^x - S_i^y S_j^y$$

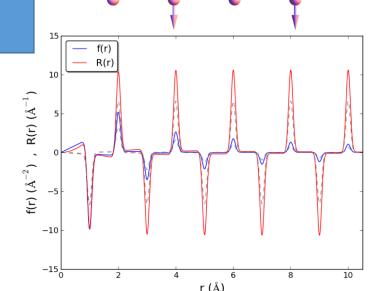


Positive peaks for ferromagnetic correlations

Negative peaks for antiferromagnetic correlations

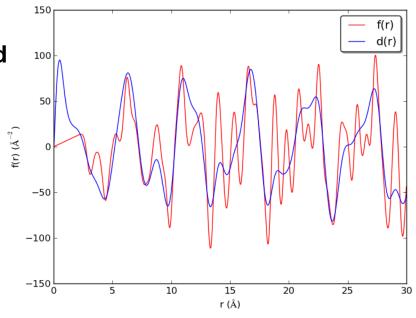


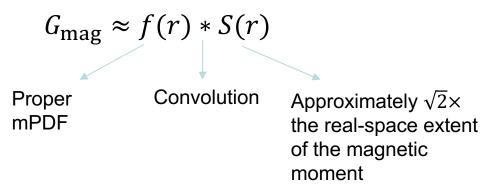




What we get in a standard atomic PDF measurement

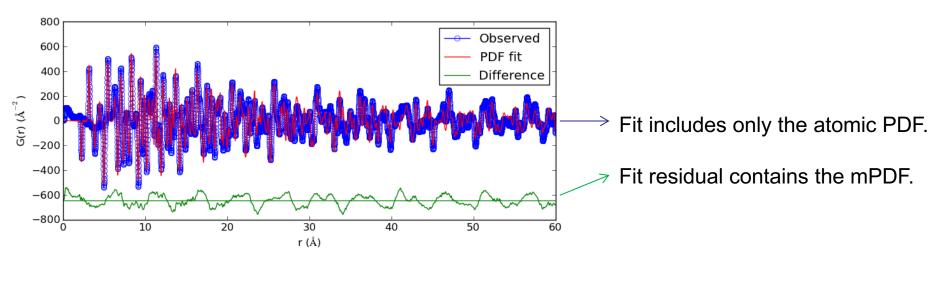
In a typical neutron PDF measurement, the magnetic and nuclear scattering are mixed together. Standard data reduction routines normalized by the average squared nuclear scattering length, but not the magnetic form factor. As a result, the mPDF obtained from the standard procedures is a broadened form of the true expression:



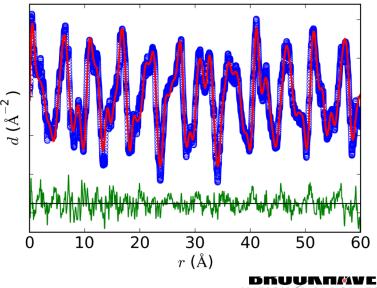




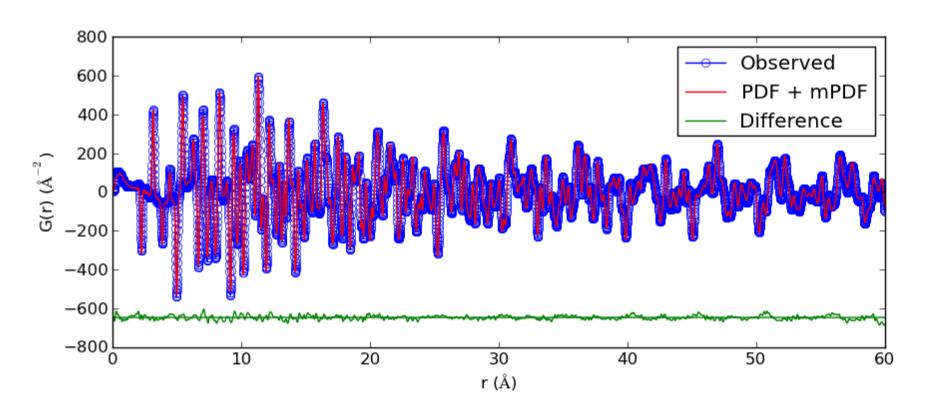
Example: Antiferromagnetic MnO



Known antiferromagnetic structure of MnO provides excellent fit to the mPDF.



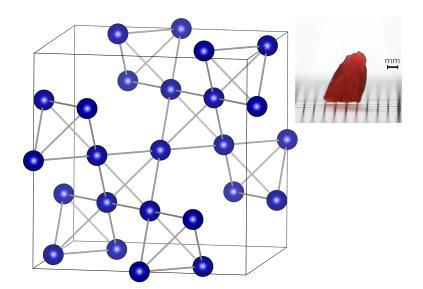
Example: Antiferromagnetic MnO

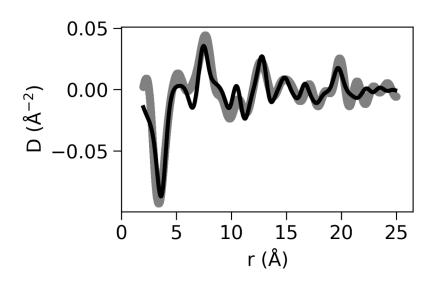


Total PDF fit (atomic + magnetic)

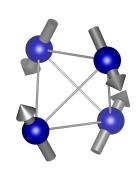


Exotic example: New frustrated pyrochlore system NaCaCo₂F₇





mPDF analysis reveals a nontrivial, non-collinear magnetic configuration with a correlation length of ≈2 nm.





Summary

- DiffPy-CMI software framework for complex modeling, structure representations and manipulations, calculators for PDF, BVS, SAS, multi-component fit management, add-on for magnetic PDF analysis
- **resources:** https://www.diffpy.org project webpage diffpy-users Google Group users mailing list
- installation on Linux or Mac
 - download Anaconda Python https://anaconda.com
 - install diffpy-cmi from "conda" package manager

conda install -c diffpy diffpy-cmi

installation on Windows – requires Linux Virtual Machine

DiffPy-CMI tutorial

https://github.com/diffpy/add2019-diffpy-cmi

- what to expect:
 - IPython notebooks that proceed from basic functions to refinements not possible in PDFgui.
- goals:
 - learn about the main components of the framework and understand how they work together to define refinements.
 - perform structure manipulations and simple calculations
 - learn what structure analysis problems are suitable for DiffPy-CMI

