



Technical Aspects and Practices in Using Neutron Total Scattering for Local Ordering Studies in Magnetic Systems

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U.S. DEPARTMENT OF
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Outline

- Spin Lattice Coupling Cases

 - Hidden local symmetry breaking in Kagome-lattice $\text{Co}_3\text{Sn}_2\text{S}_2$

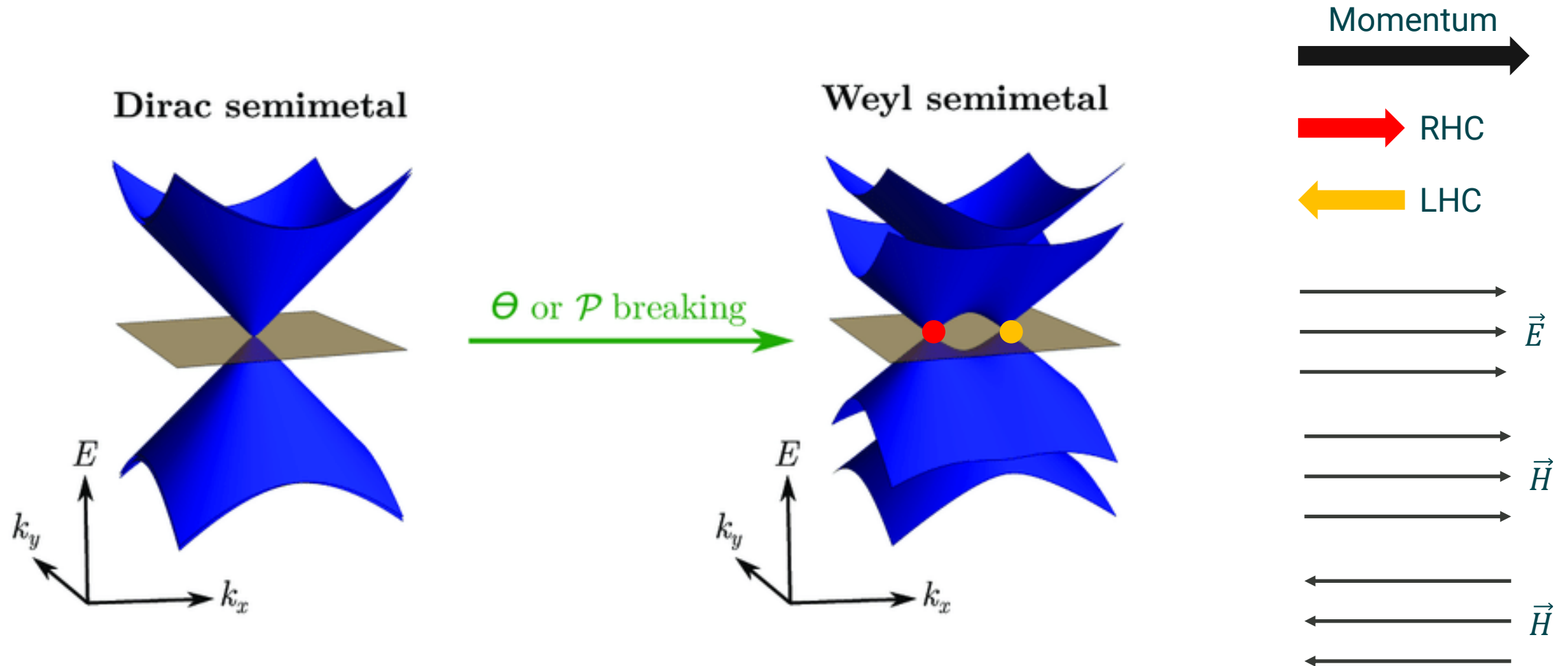
 - Local distortion driven magnetic phase switching in pyrochlore $\text{Yb}_2(\text{Ti}_{1-x}\text{Sn}_x)_2\text{O}_7$

- Local Magnetic Ordering with Total Scattering

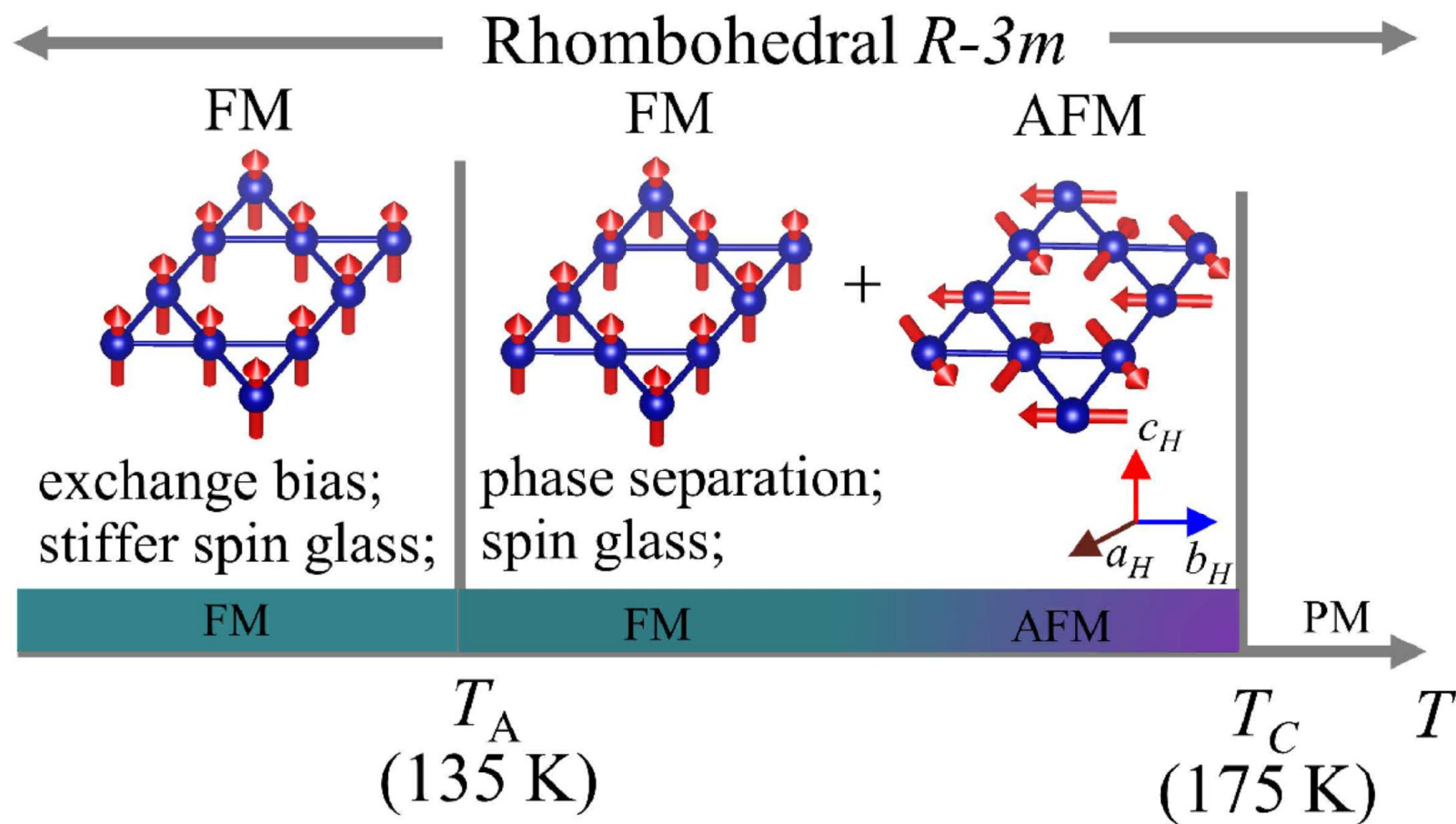
 - Technical Aspects

 - Local Spin Cluster in $\text{Sn}_x\text{Fe}_{4-x}\text{N}$ Spin Glass

Hidden local symmetry breaking in Kagome-lattice $\text{Co}_3\text{Sn}_2\text{S}_2$



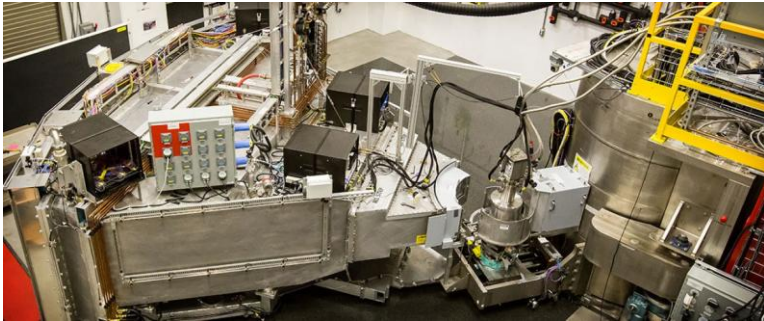
Magnetic Transition Pathway for $\text{Co}_3\text{Sn}_2\text{S}_2$



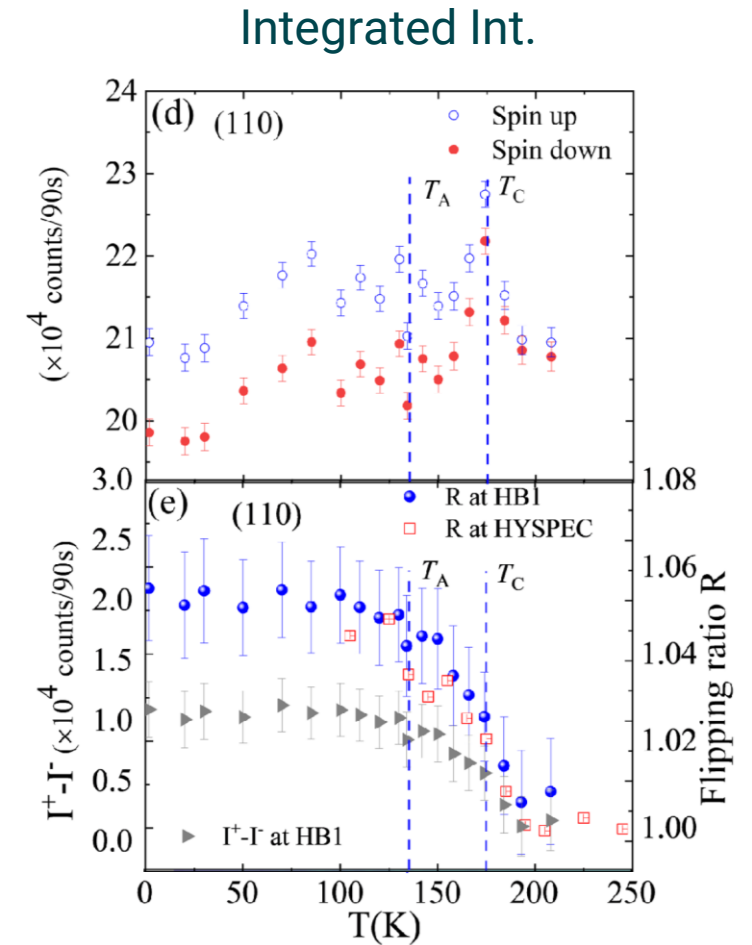
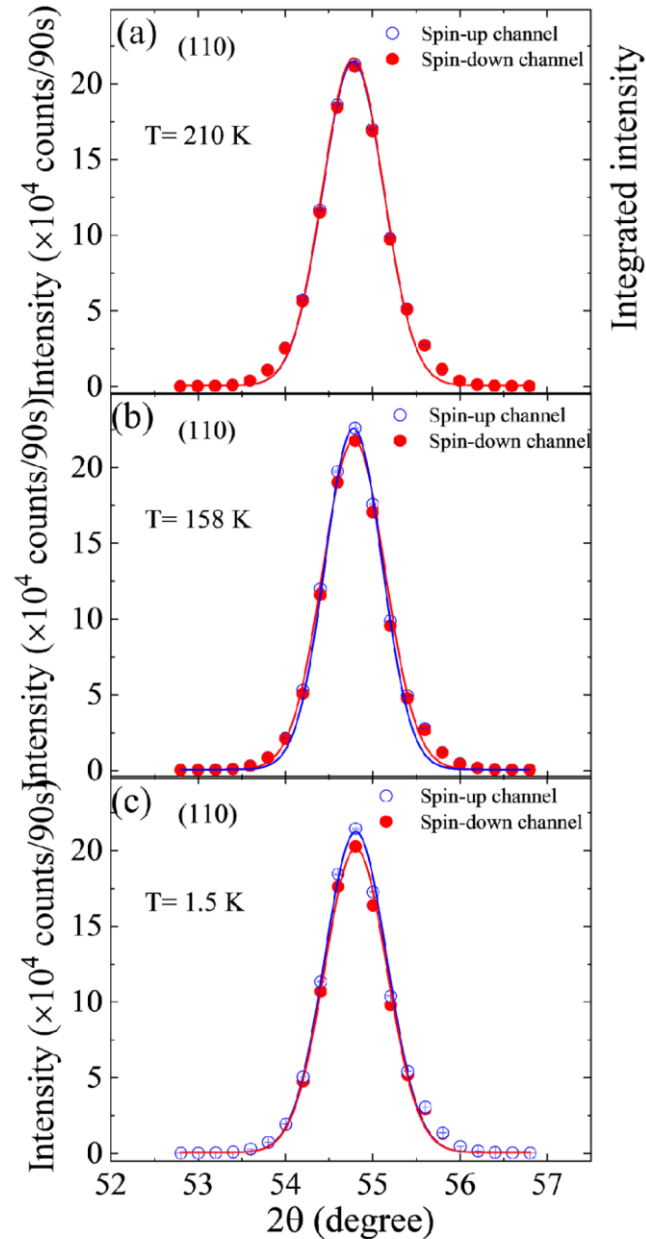
Polarized Neutron Data



HB1 @ HFIR, ORNL

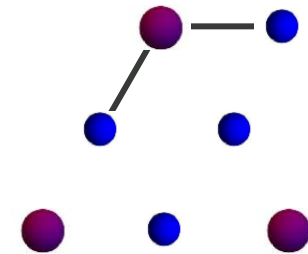
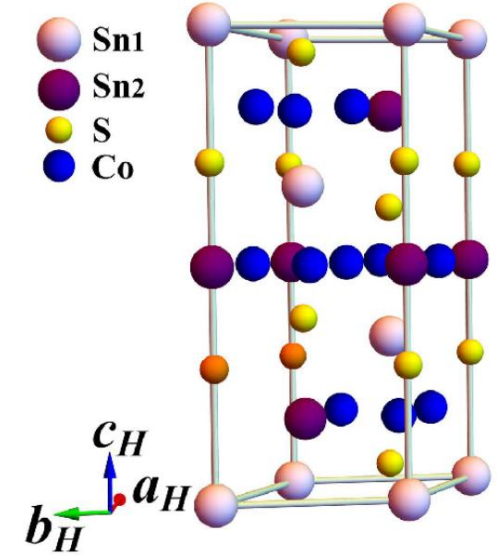
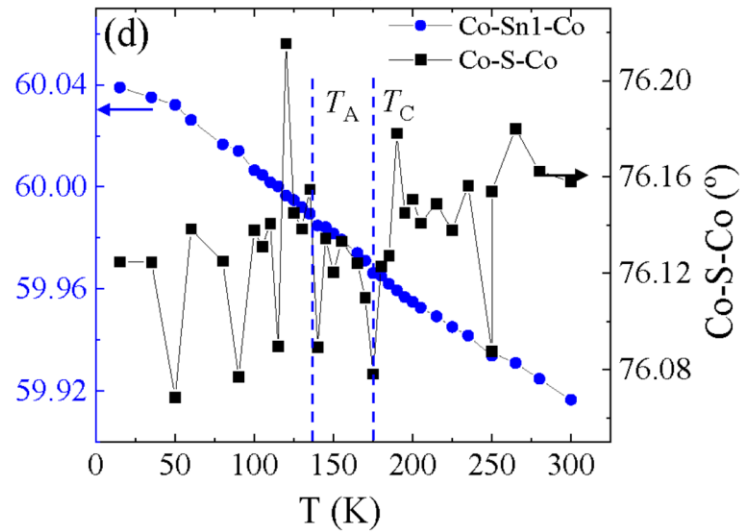
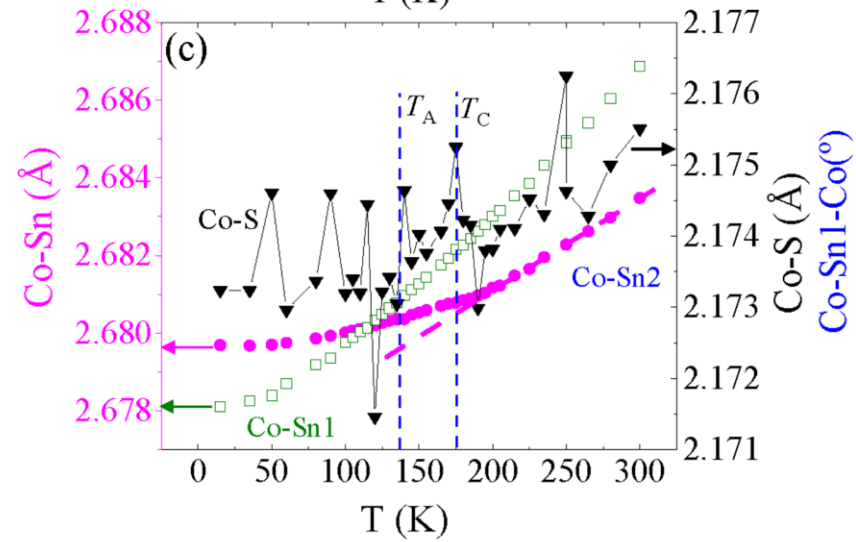
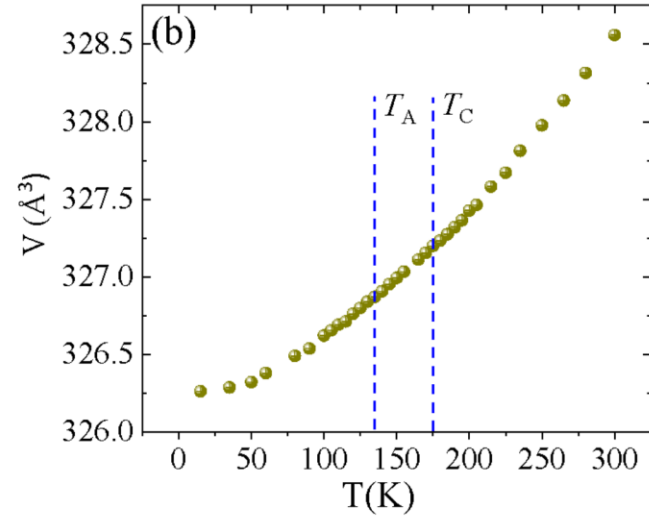
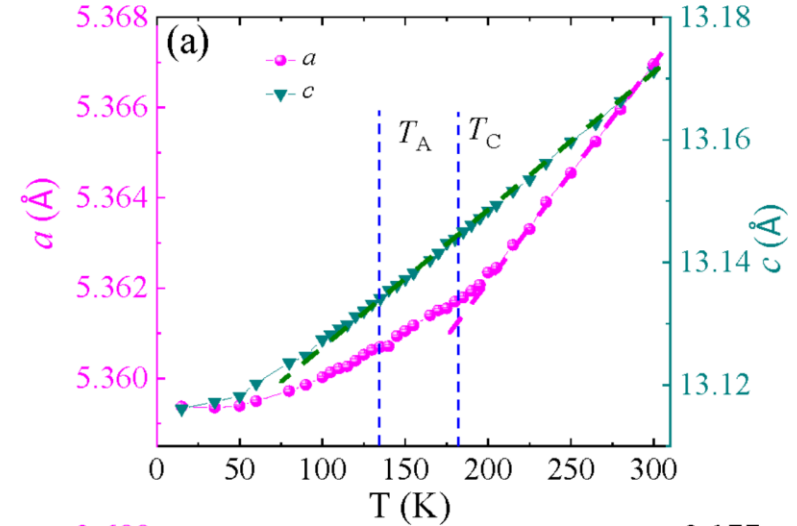


HYSPEC @ SNS, ORNL

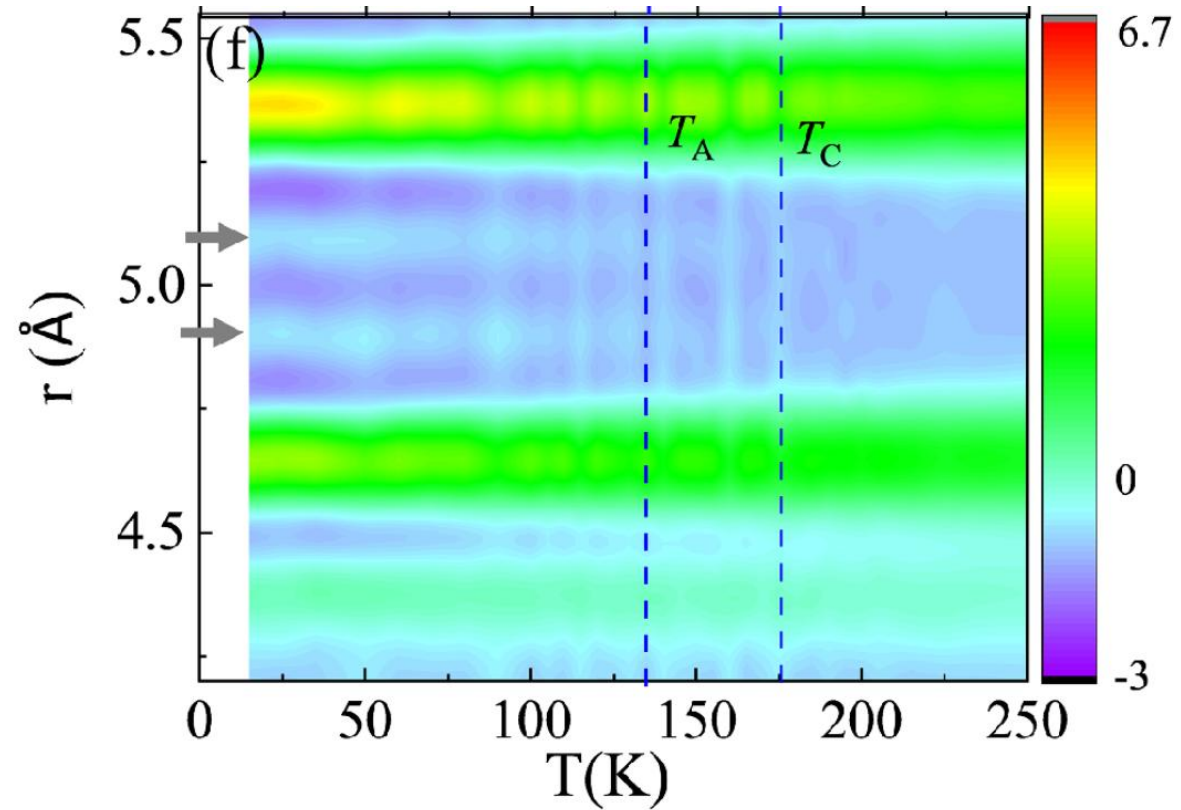


Flipping Difference (Left)
&
Flipping Ratio (Right)

Average Structure



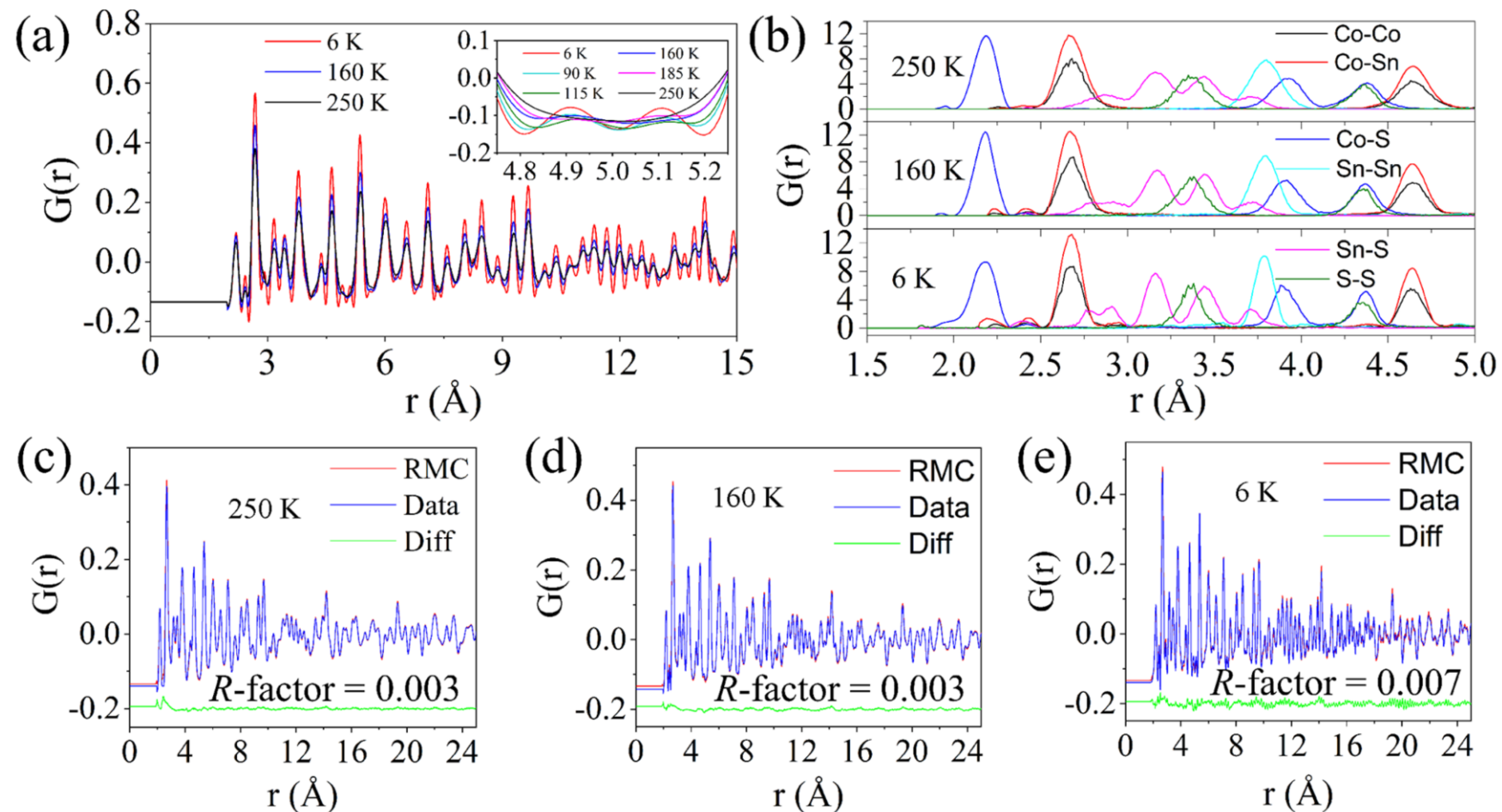
Local Structure Data



POWGEN @ SNS, ORNL



Local Structure Modeling



Metropolis RMC

$$\frac{e^{-\beta E_i}}{\mathcal{Z}}, \beta = \frac{1}{k_B T}$$

$$P_i = \frac{e^{-\beta E_i}}{\mathcal{Z}}$$

$$P_j = \frac{e^{-\beta E_j}}{\mathcal{Z}}$$

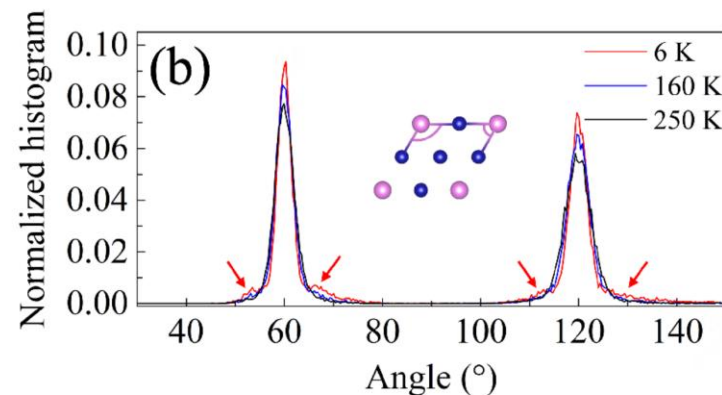
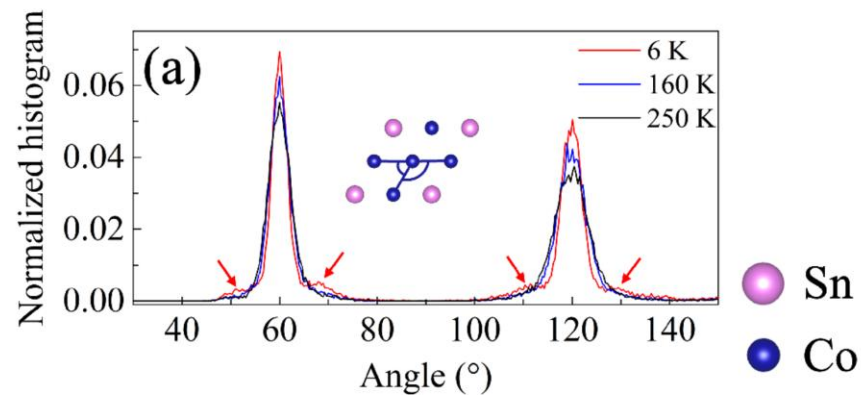
$$\frac{P_j}{P_i} = e^{\beta(E_i - E_j)}$$

$$E \Rightarrow \chi^2$$

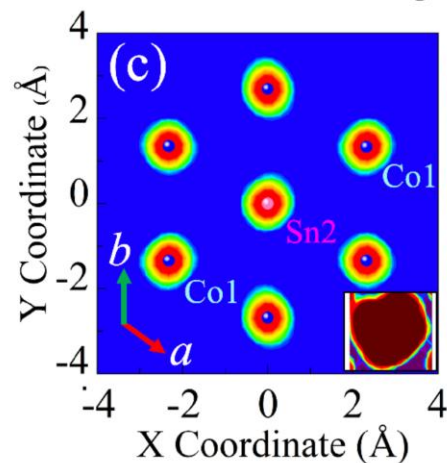


Local Structure Modeling

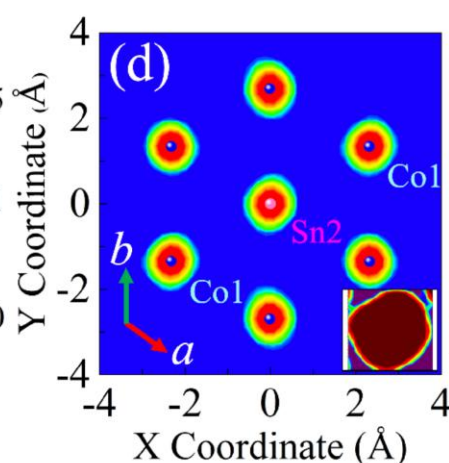
Bond Angle Distribution



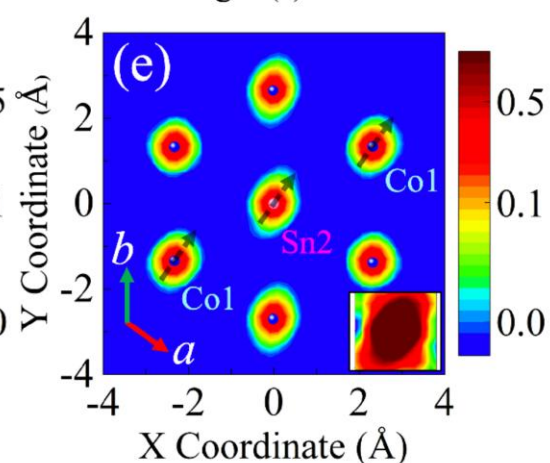
Kernel Density Estimation (KDE)



250 K

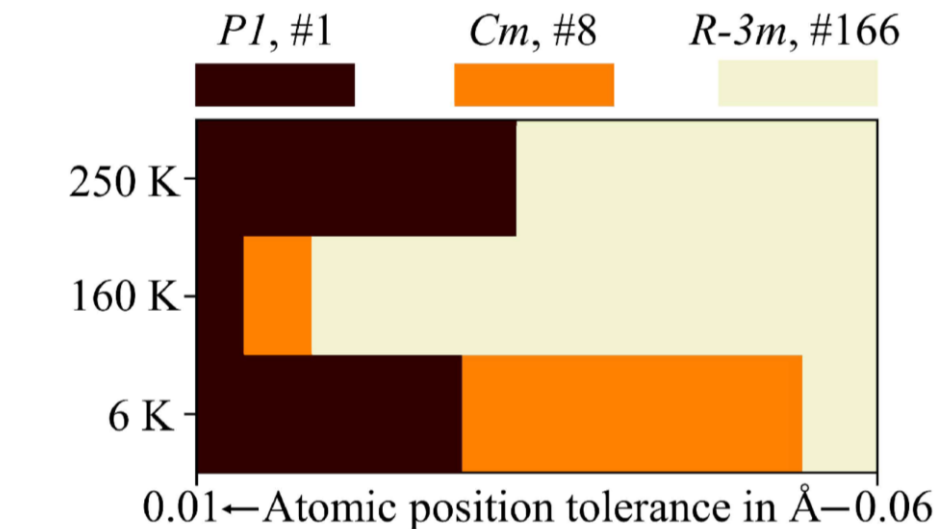


160 K

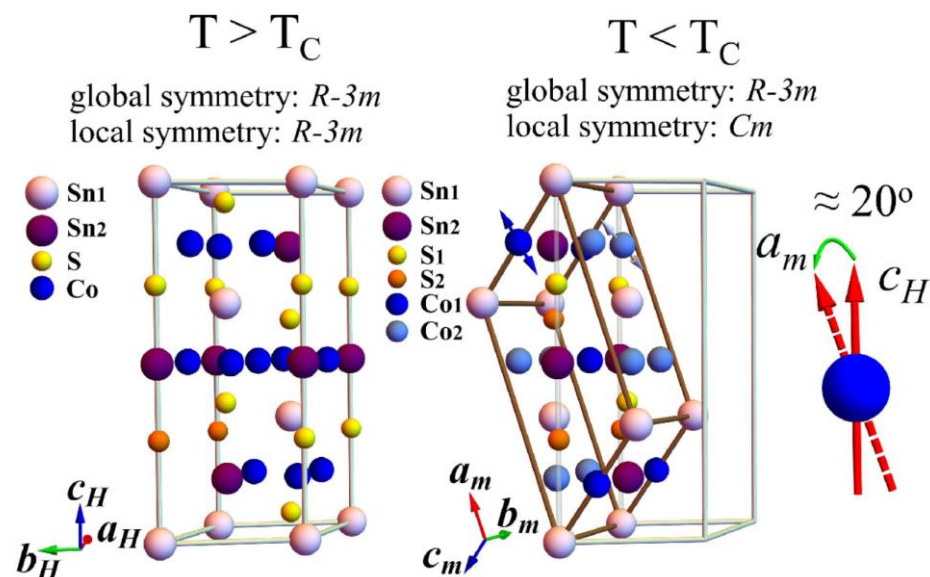


6 K

Local Structure Modeling

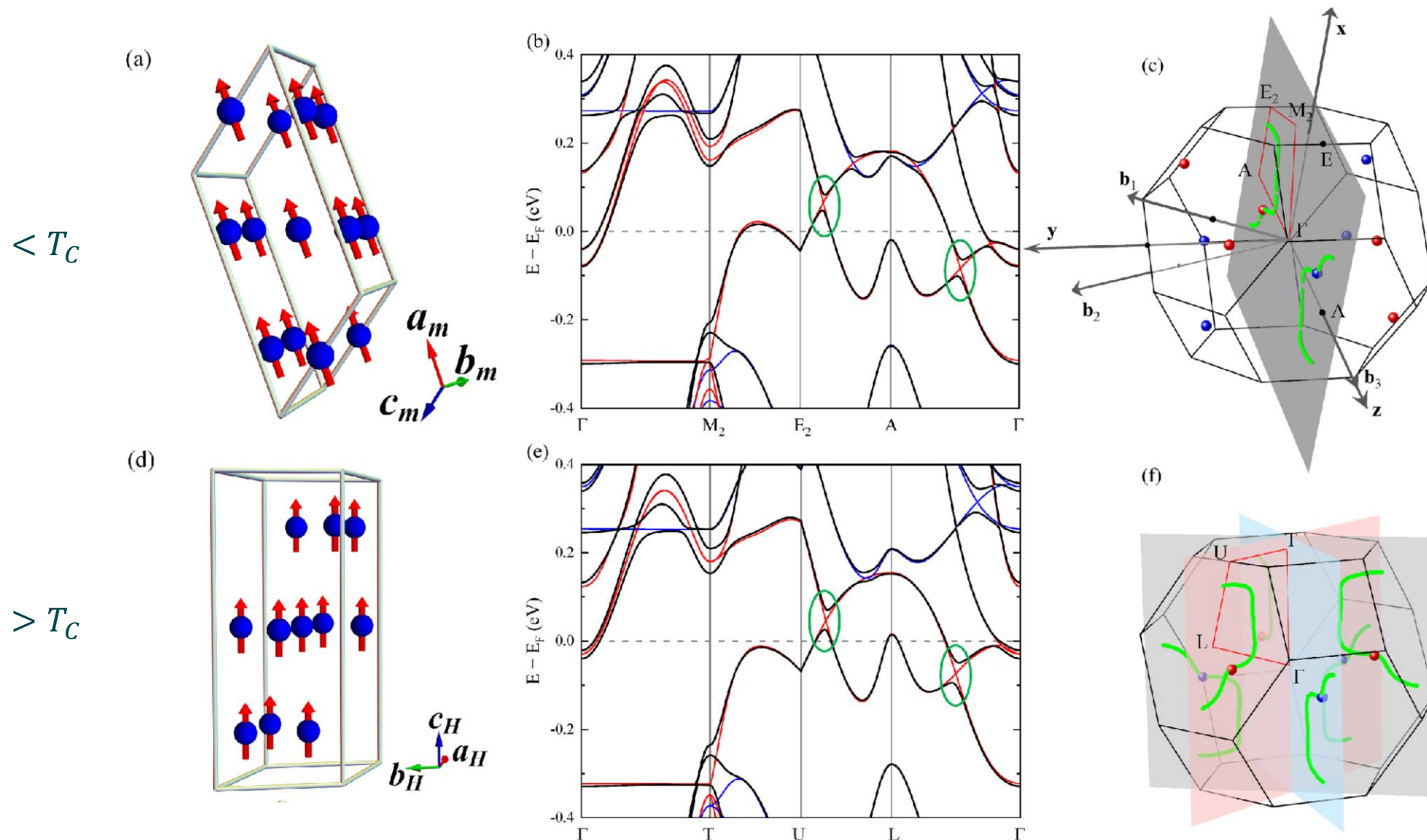


Supercell $\Rightarrow$ unit cell $\Rightarrow$ *findsym*



Identified local symmetry above (left) and below (right) T_C

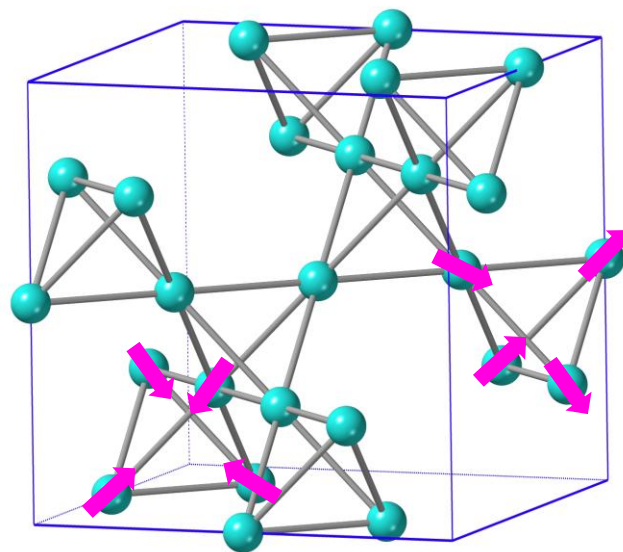
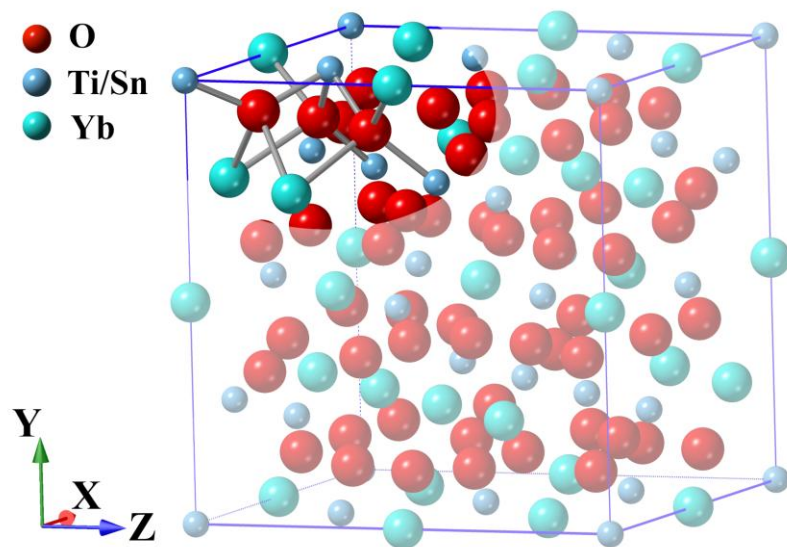
Impact of Local Symmetry Breaking on Magnetic Ordering & Weyl Points



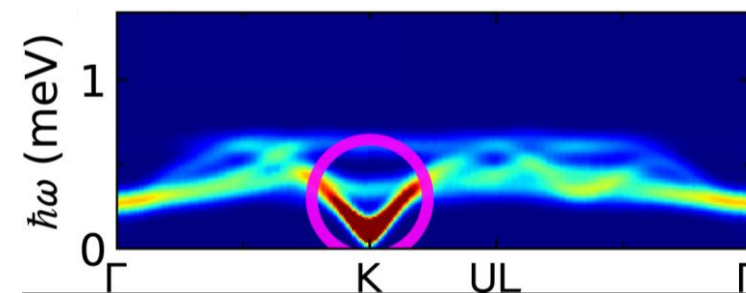
Take-Away

- ❖ Magnetic transition induces LSB
- ❖ LSB further induces FM ordering instability
- ❖ FM instability then possibly accounts for the emergence of the spin glass behavior
- ❖ LSB has impacts upon the Weyl points due to losing mirror planes
- ❖ Further Weyl properties studies need to take the LSB into account

Magnetic Phase Switching in Quantum Spin Liquid Pyrochlore $\text{Yb}_2(\text{Ti}_{1-x}\text{Sn}_x)_2\text{O}_7$

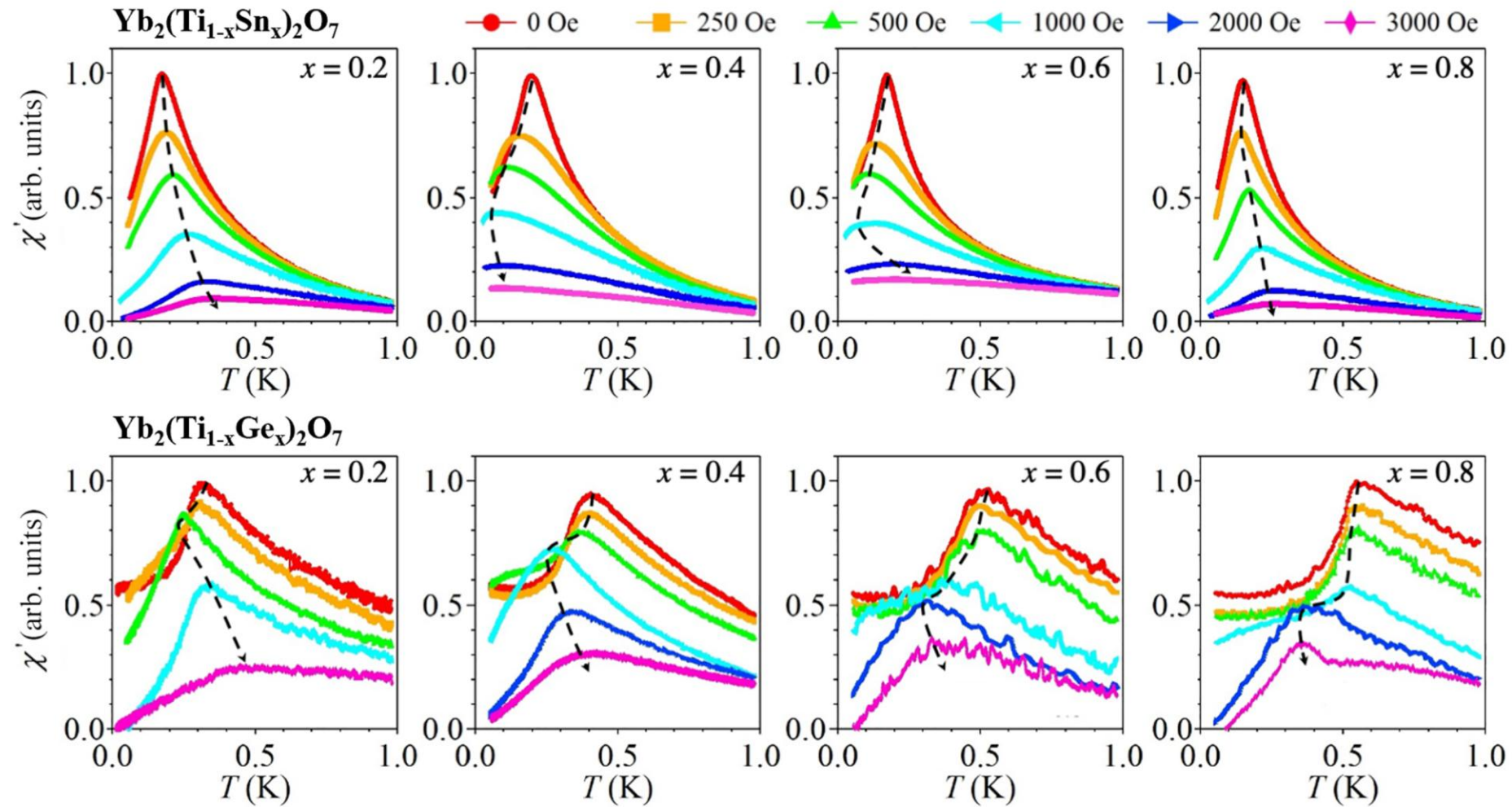


- Error-proof quantum computation
- HT superconductivity

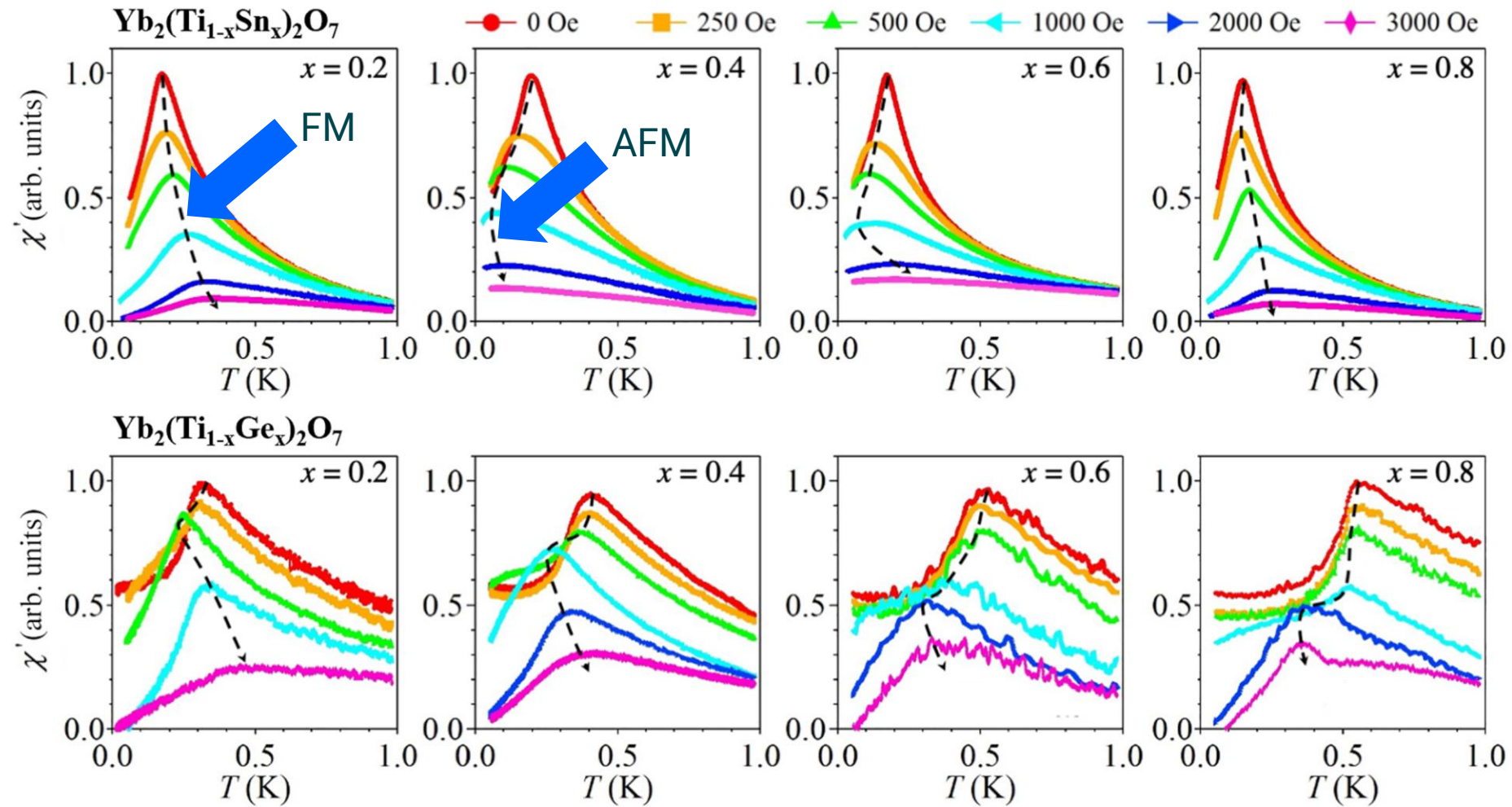


In 2020, A. Scheie, et al. showed the continuum excitation as originated from FM+AFM competition rather than QSL

AC Susceptibility

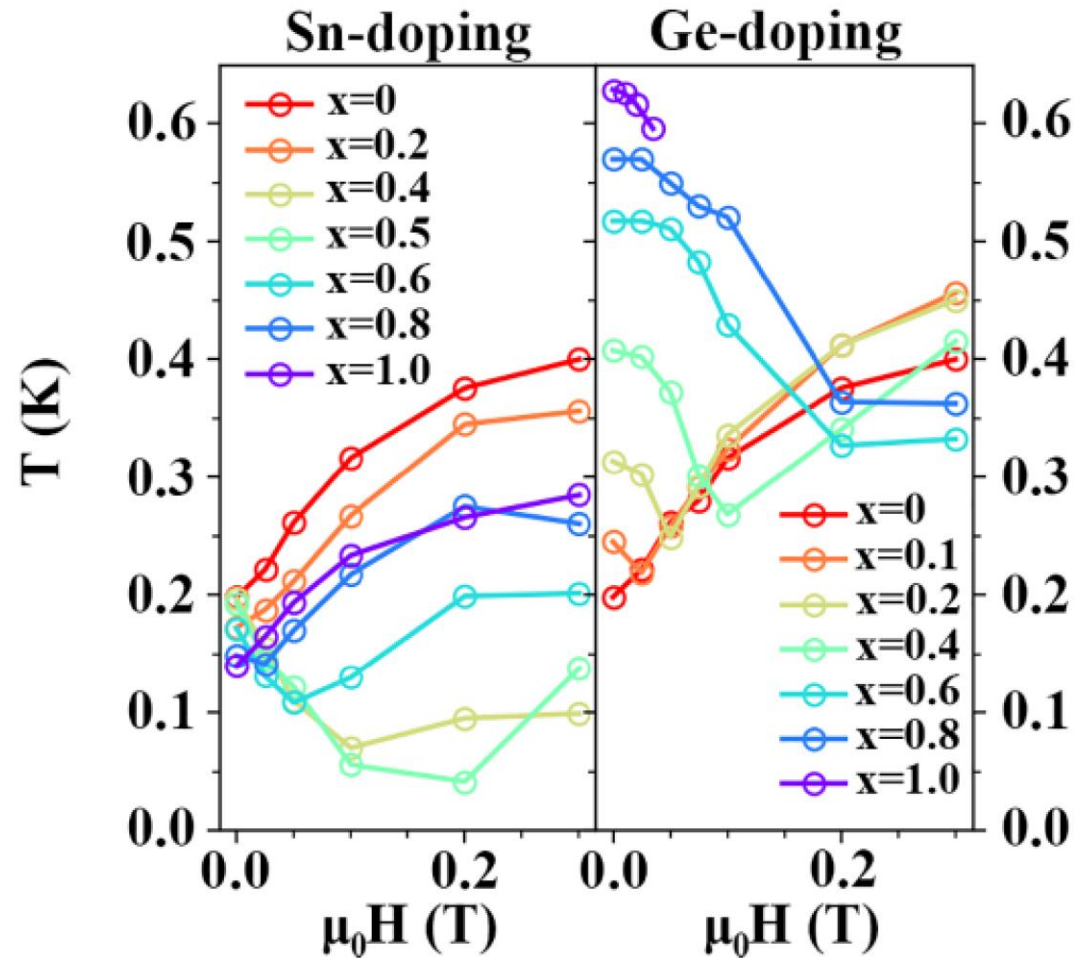


AC Susceptibility

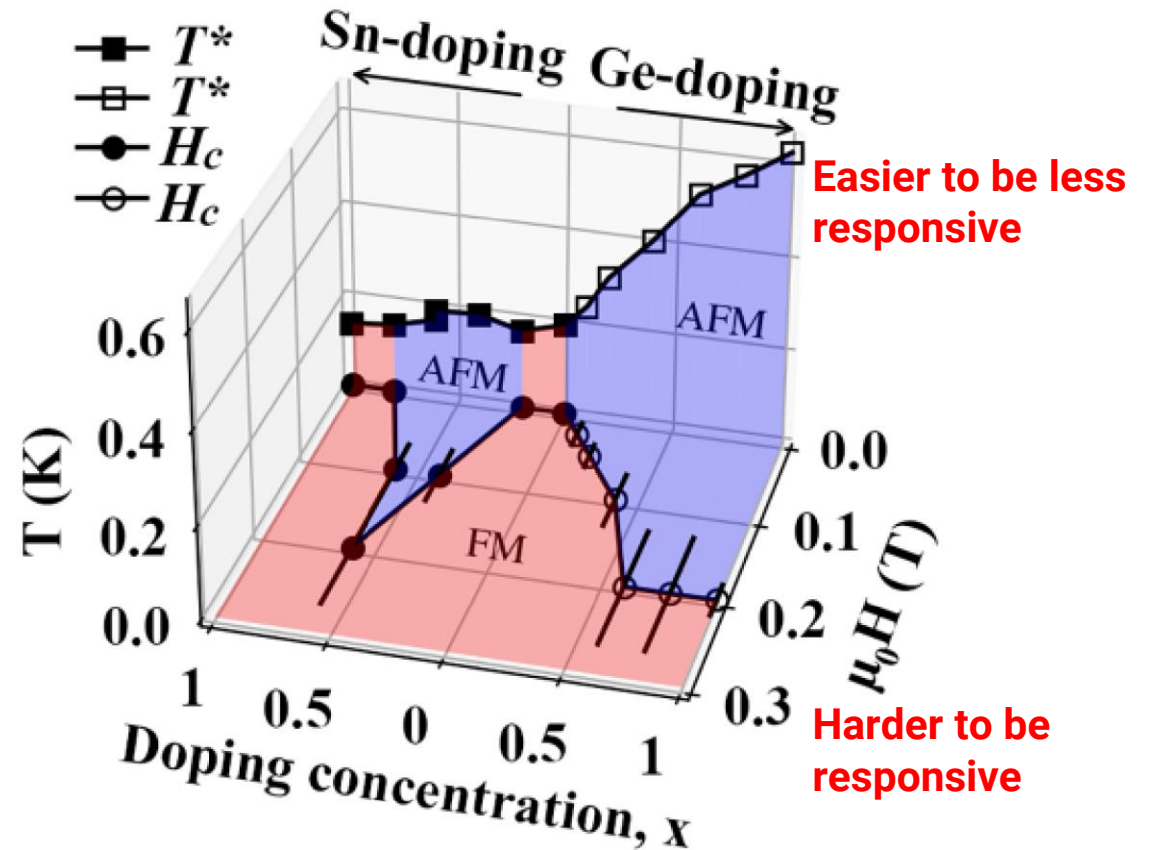


Magnetic Phase Switching

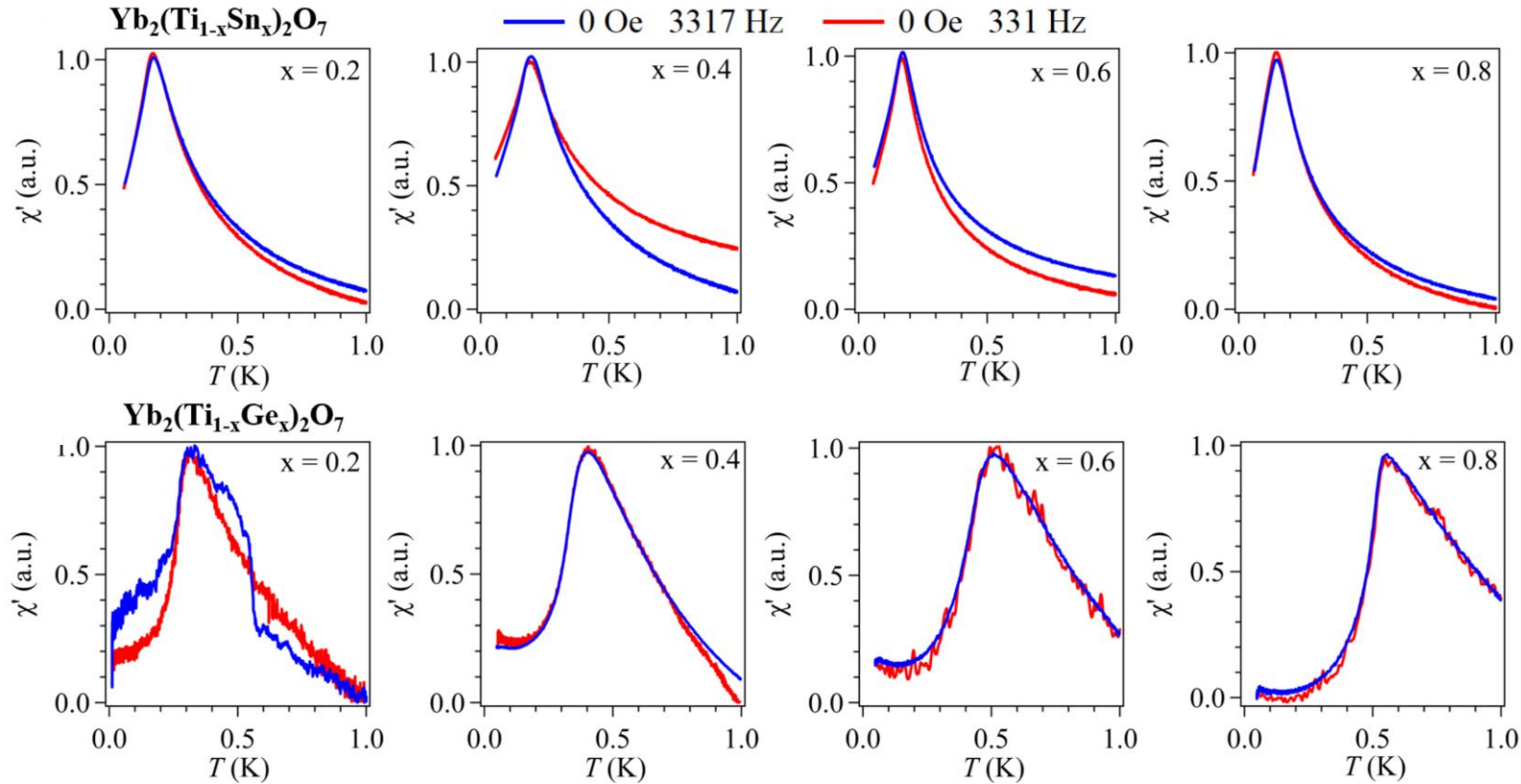
Transition temperature versus DC field



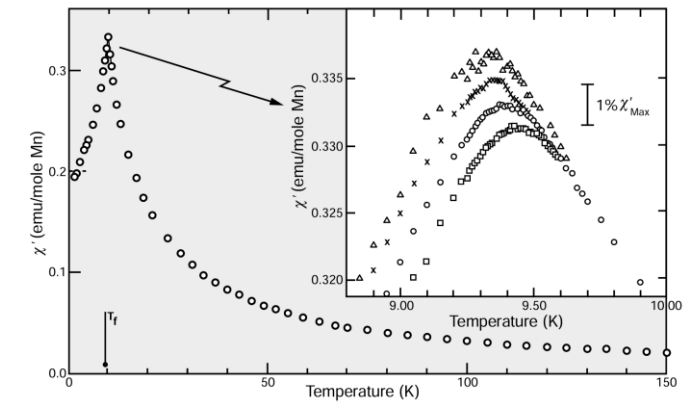
Magnetic phase diagram



Magnetic Phase Switching

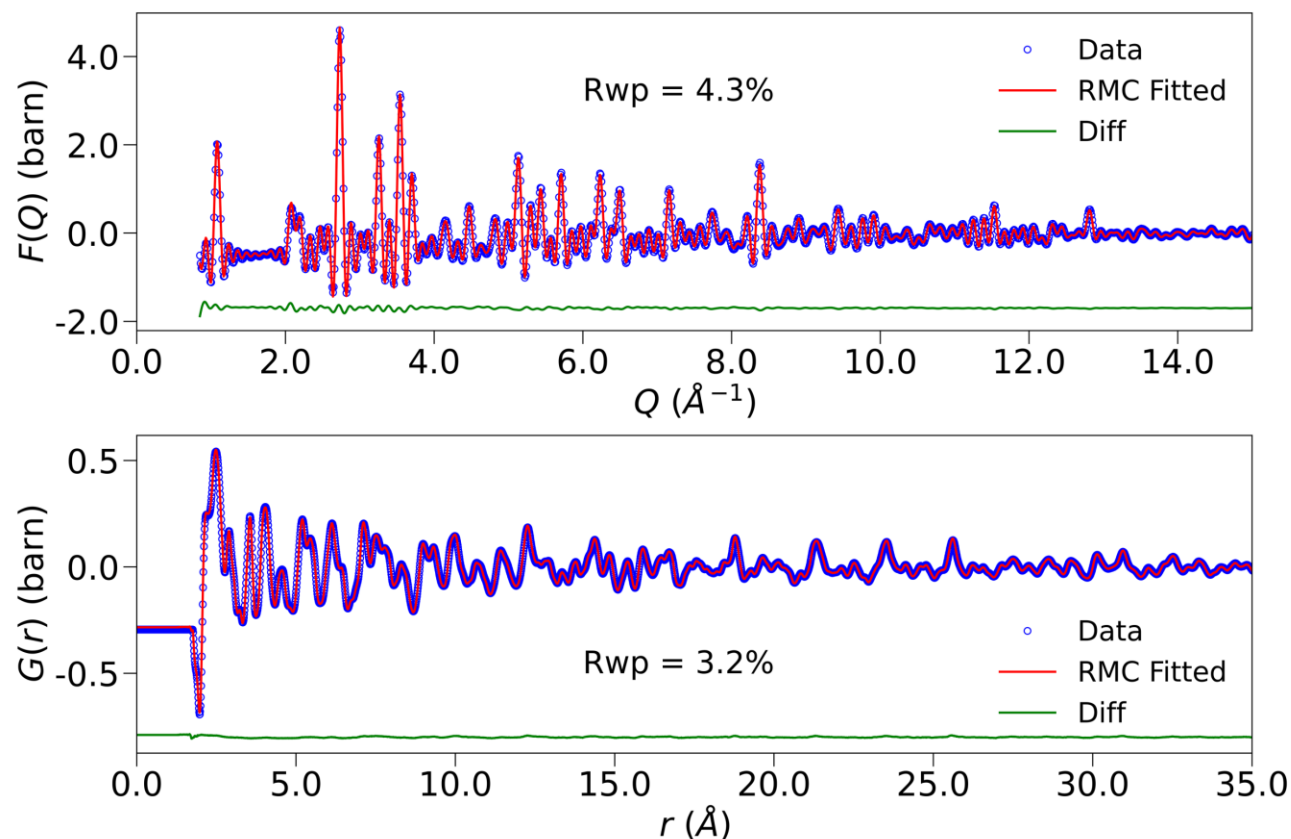


No spin glass behavior in our sample

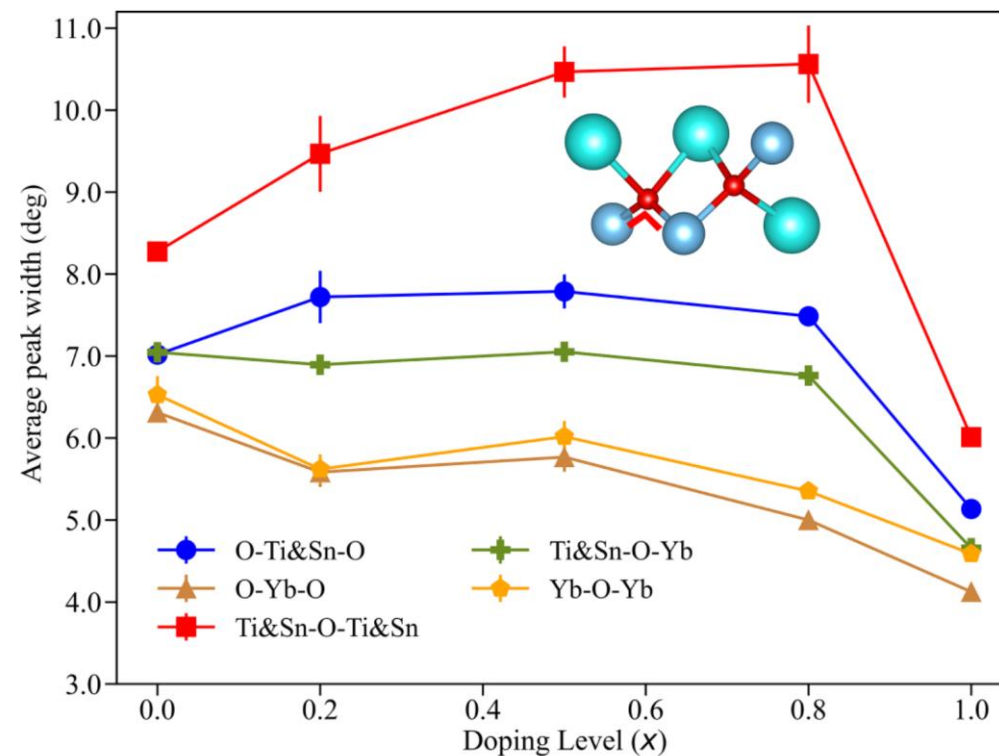


Spin glass behavior in CuMn

Magnetic Phase Switching in Quantum Spin Liquid Pyrochlore $\text{Yb}_2(\text{Ti}_{1-x}\text{Sn}_x)_2\text{O}_7$



Reasonable total scattering fitting in real
& reciprocal space



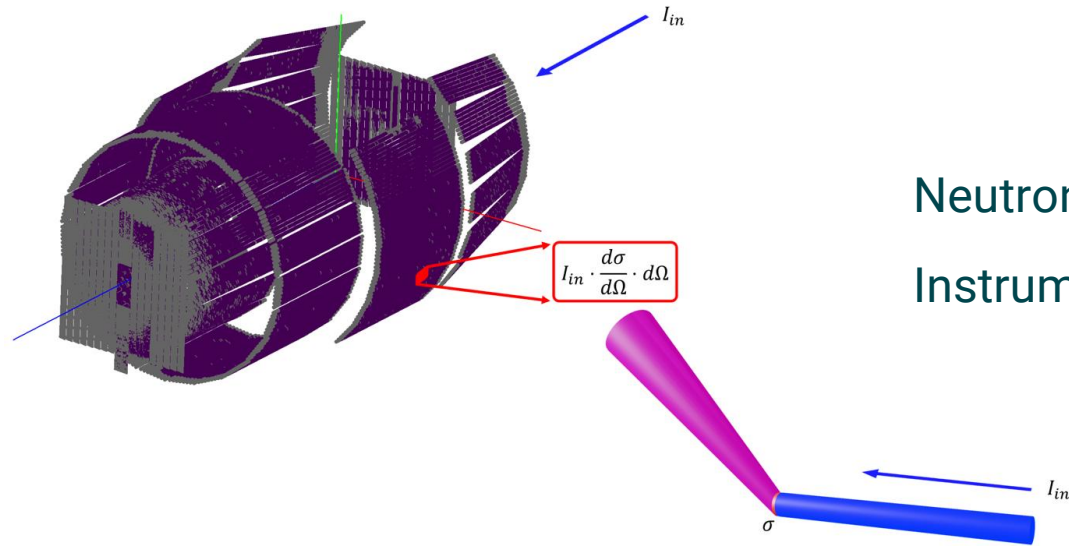
Local variations in Ti-O-Ti chain coincides
with the FM-AFM switching

Take-Away

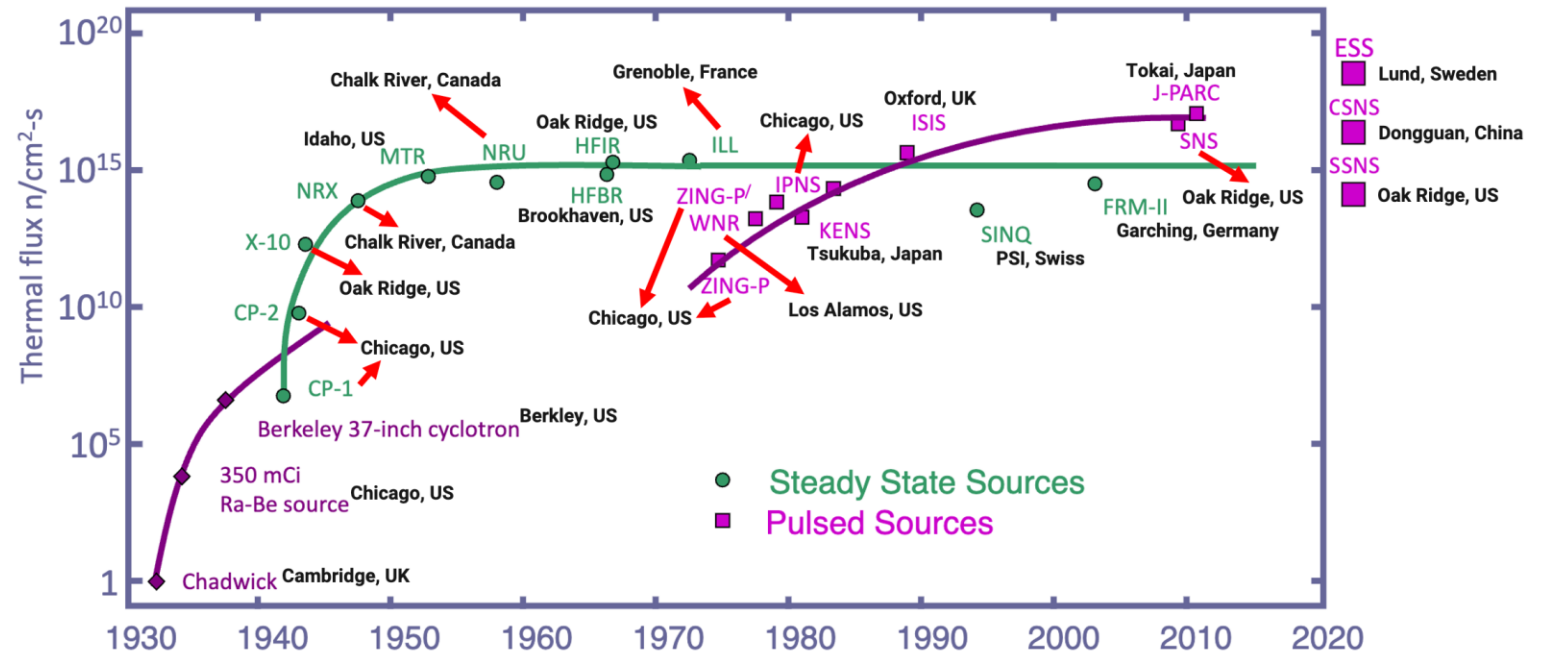
- ❖ Chemical pressure induced FM-AFM switching
- ❖ Phenomenal link with strong local variation in Ti-O-Ti chain
- ❖ Local structure should be considered for future QSL candidate system studies

Local Magnetic Ordering with Total Scattering – with RMC (here, RMCProfile)

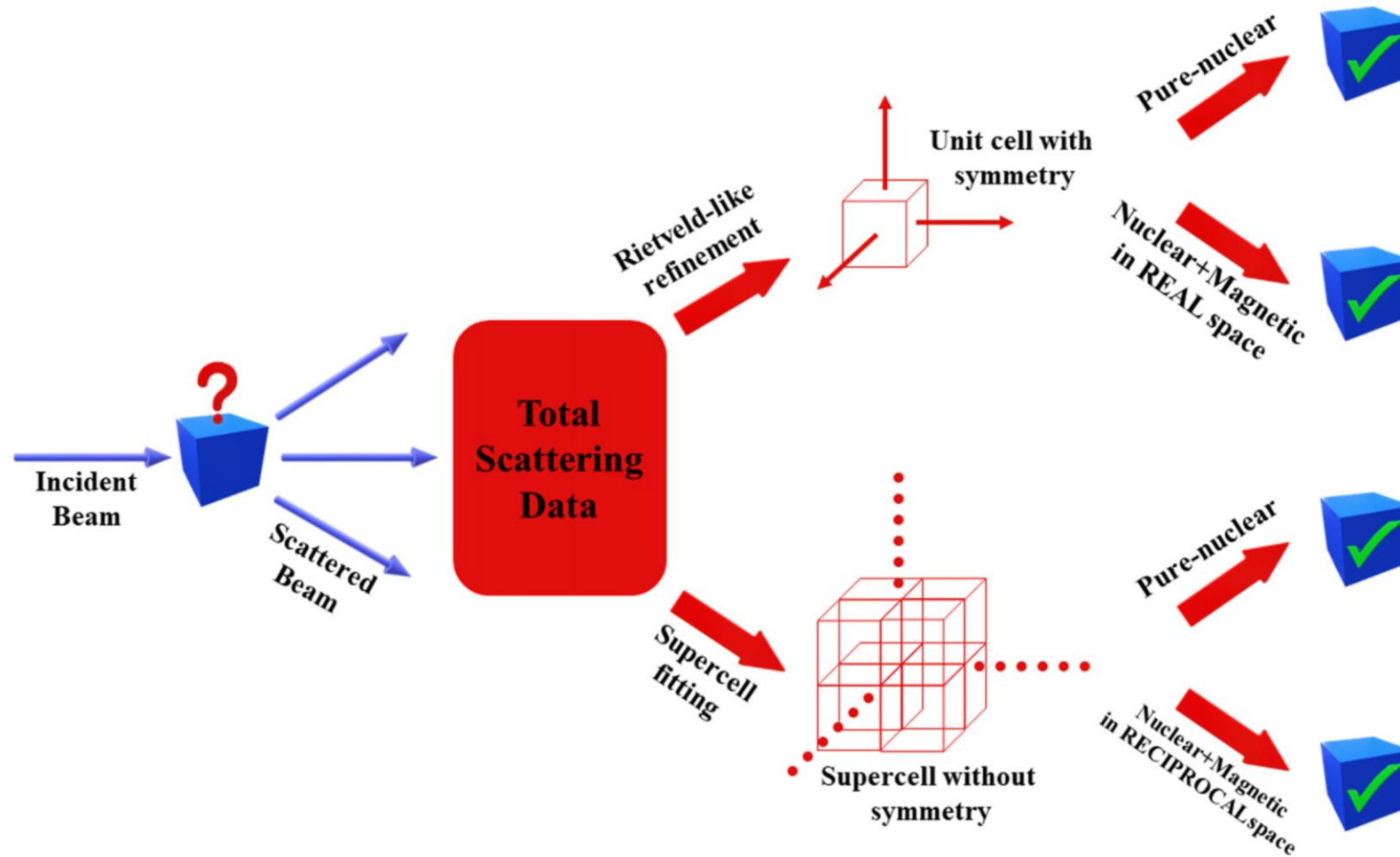
Local Magnetic Ordering with Total Scattering – with RMC (here, RMCProfile)



Neutron Instruments History



Local Magnetic Ordering with Total Scattering



Real & Reciprocal Space Calculation

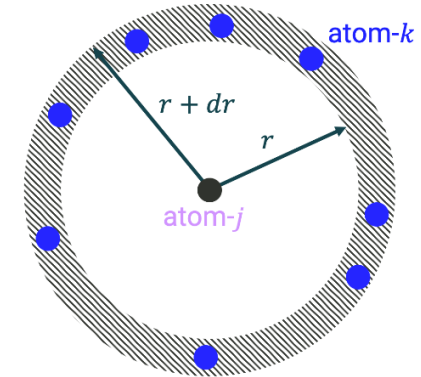
$$I(\vec{Q}) = \left| \sum_0^N \exp[i\vec{Q} \cdot \vec{r}_n] \right|^2$$

⇓ Isotropic Averaging

$$I(Q) = \frac{1}{N_S} \sum_{j' \neq k'} b_{j'} b_{k'} \frac{\sin(Qr_{j'k'})}{Qr_{j'k'}} + \langle b^2 \rangle$$

Debye Approach

$$g_{jk}(r) = \frac{n_{jk}(r)}{4\pi r^2 dr \rho_k}$$



⇓

$$I(Q) = \rho_0 \sum_{j \neq k} c_j c_k b_j b_k 4\pi \int_0^\infty r^2 [g_{jk}(r) - 1] \frac{\sin(Qr)}{Qr} dr + \langle b^2 \rangle$$

⇓

$$G(r) = \sum_{j,k} c_j c_k b_j b_k [g_{jk}(r) - 1]$$

⇓

$$I(Q) = F(Q) + \langle b^2 \rangle = \rho_0 \int_0^\infty 4\pi r^2 G(r) \frac{\sin(Qr)}{Qr} dr + \langle b^2 \rangle$$

Real-space Approach

The Self-Scattering Term

Reciprocal space [1]:

$$S_{mag}(Q) = \frac{2}{3} c_M \left[\frac{e^2 \gamma}{2 m_e c^2} g J f(Q) \right]^2 + 4 \pi \rho c_M \left[\frac{e^2 \gamma}{2 m_e c^2} f(Q) \right]^2$$

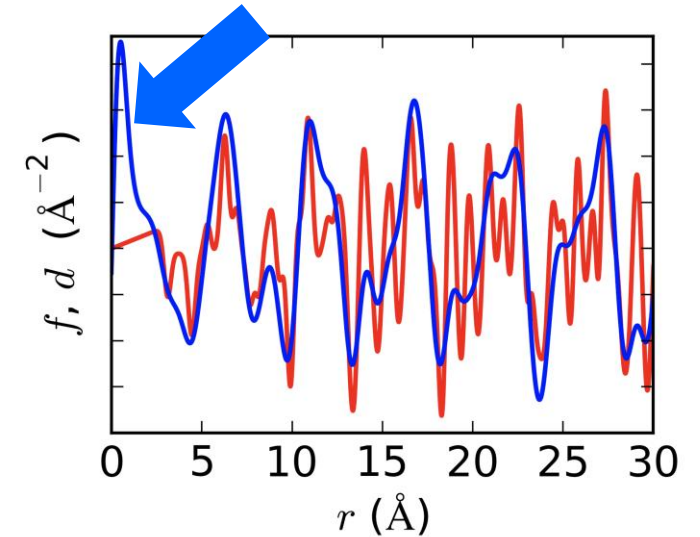
$$\times \int r^2 \left\{ A(r) \frac{\sin Qr}{Qr} + B(r) \left[\frac{\sin Qr}{(Qr)^3} - \frac{\cos Qr}{(Qr)^2} \right] \right\} dr$$

Real space [2, 3]:

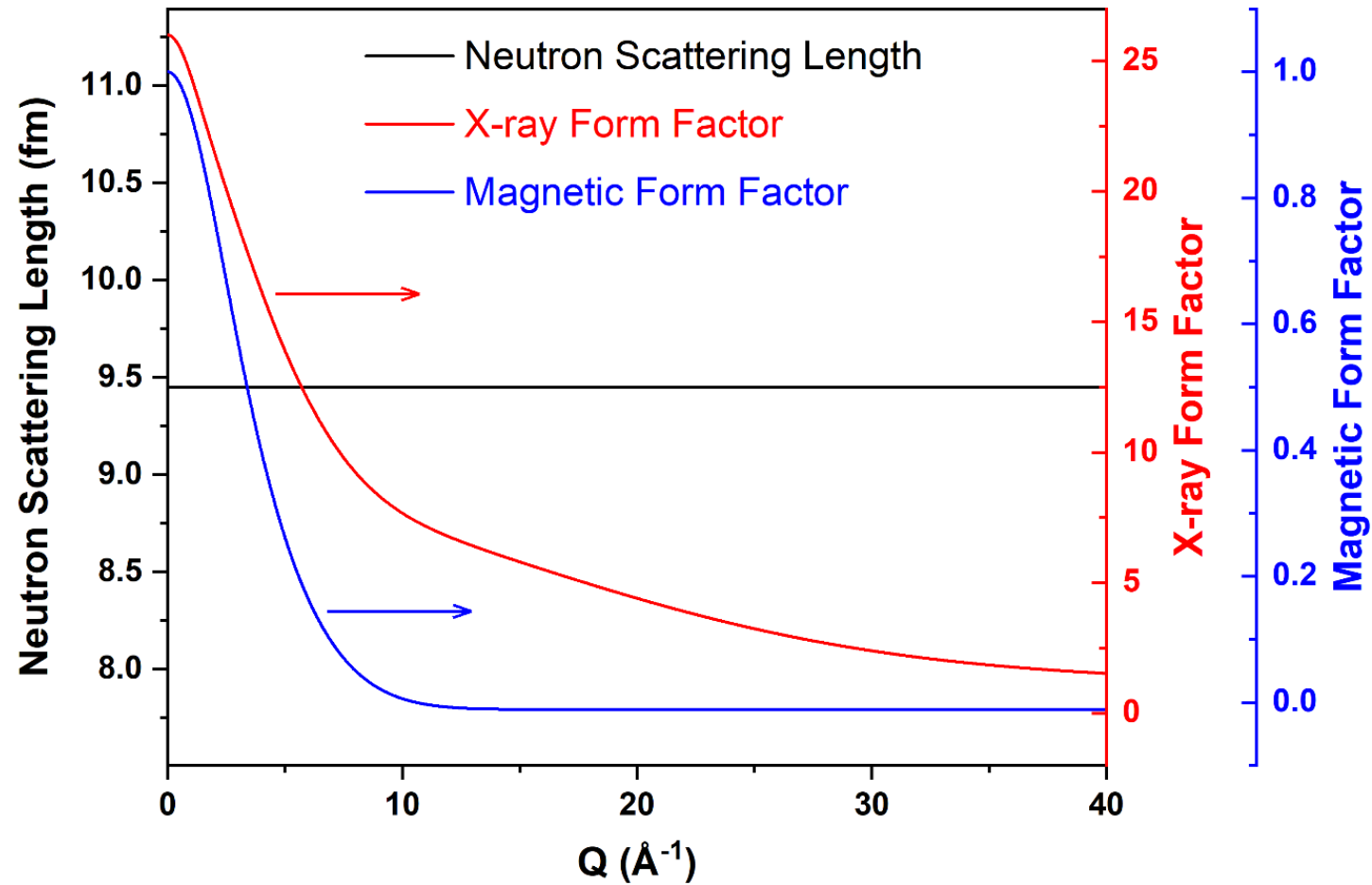
$$d(r) = C_2 \times \frac{dS}{dr} + C_1 \times f(r) \otimes S(r)$$

$$= C_2 \times \frac{dS}{dr} + C_1 \times \frac{1}{N} \frac{3}{2S(S+1)} \sum_{i \neq j} \left\{ \frac{A_{ij}}{r} + B_{ij} \frac{r}{r_{ij}^3} [1 - \Theta(r - r_{ij})] \right\} \otimes \{ F[f_m(Q)] \otimes F[f_m(Q)] \}$$

Spin self-scattering term, which appears as a peak at very low r .



Dealing with the Form Factor



$\mathcal{F}$ [nucleus, electron cloud, unpaired electrons]

Dealing with the Form Factor

$$F^X(Q) = \left[\frac{1}{N} \frac{d\sigma}{d\Omega} - \sum_{i=1}^n c_i f_i(Q)^2 \right] / \left[\sum_{i=1}^n c_i f_i(Q) \right]^2 \quad \Leftrightarrow \quad f_{ij}(Q) = f_i(Q)f_j(Q) / \left[\sum_{i=1}^n c_i f_i(Q) \right]^2$$

$$F^X(Q) = \rho_0 \sum_{i=1}^n c_i c_j f_{ij}(Q) \int_0^\infty 4\pi r^2 [g_{ij}(r) - 1] \frac{\sin Qr}{Qr} dr$$

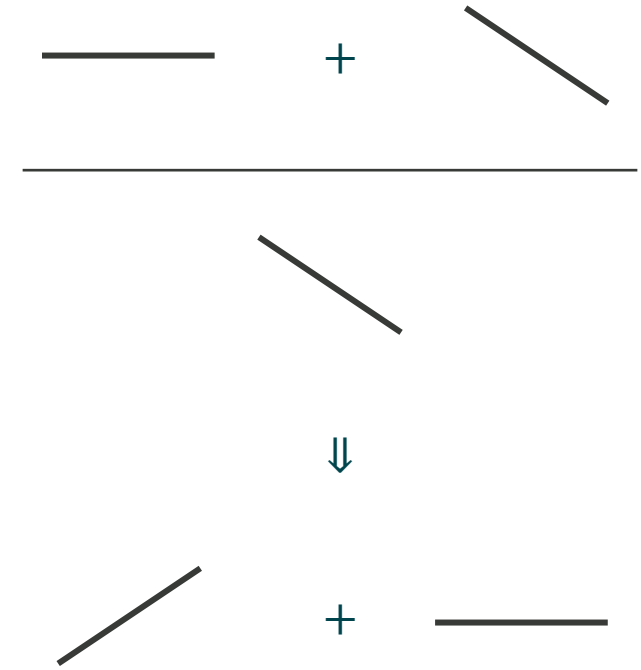
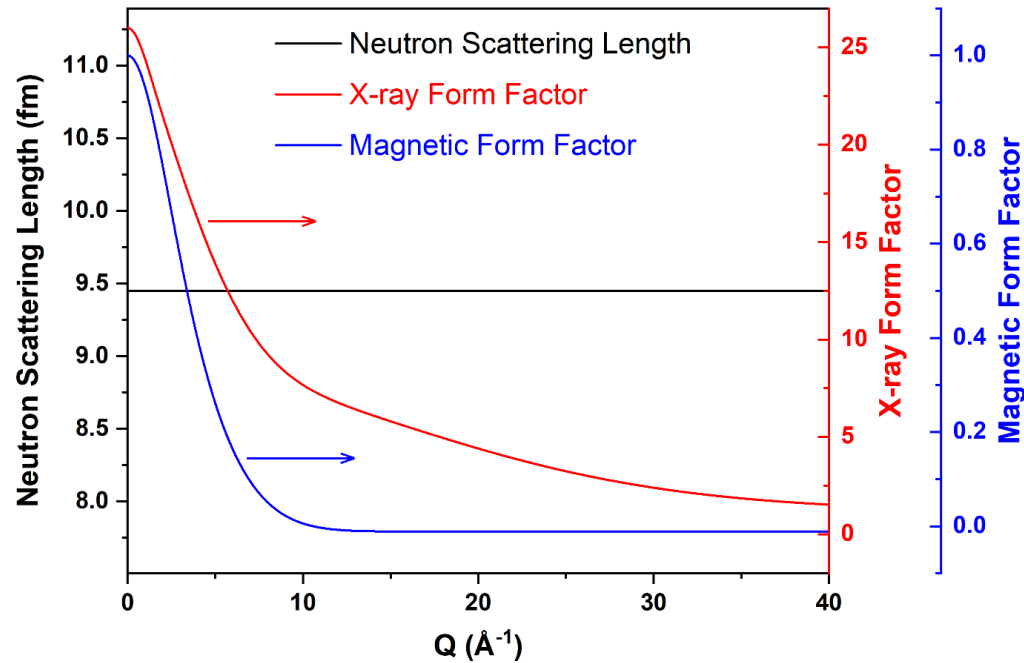
⇒

⇐

$$G^X(r) = \frac{1}{(2\pi)^3 \rho_0} \int_0^\infty 4\pi Q^2 F^X(Q) \frac{\sin Qr}{Qr} dQ$$

This is how we deal with X-ray calculation

Dealing with the Form Factor



Meaning, if we cannot separate nuc and mag contribution, it does not make sense to do the normalization over the magnetic form factor

➤ Option-1: Stay in Q -space $\Rightarrow$ **currently what we do**

➤ Option-2: $\mathcal{F} \left[[F_{nuc}(Q) + S_{mag}(Q) - S_{mag}^{self}(Q)] / \langle b \rangle^2 \right] \Rightarrow$ **planned**

A Little Trick at This Moment – Combine mPDF with RMCProfile

Nuc & Mag co-refinement



Subtract mag part



Clean nuc PDF



Nuc-only model



RMCProfile

Nuc + Mag $F(Q)$

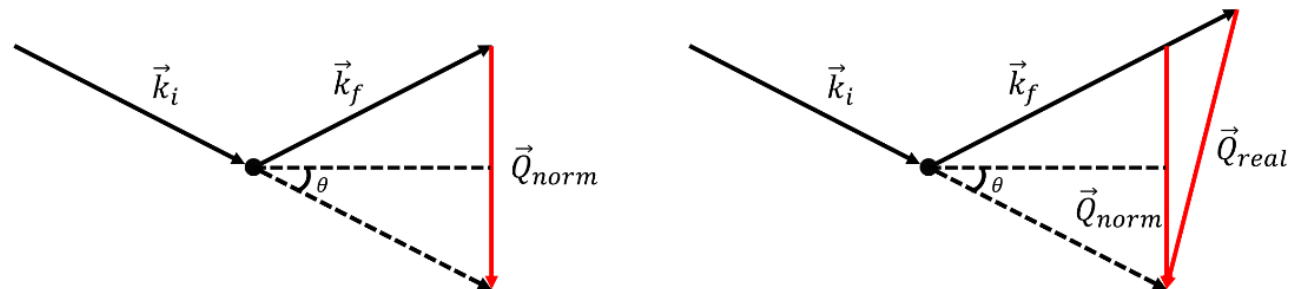
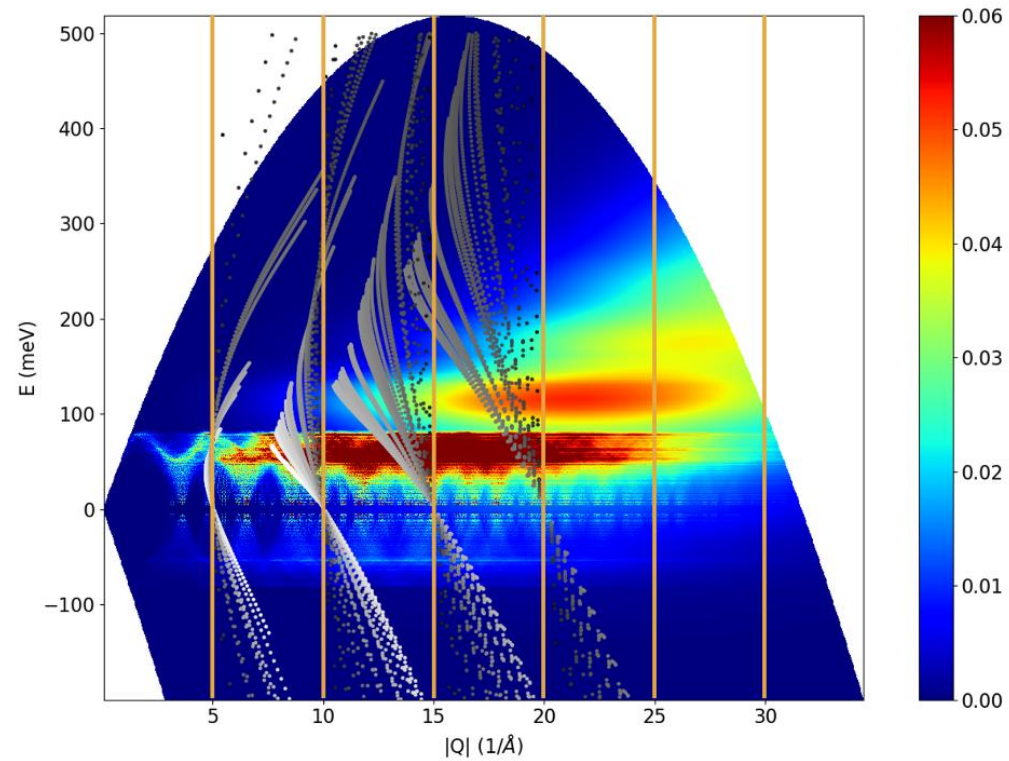


Nuc + Mag model

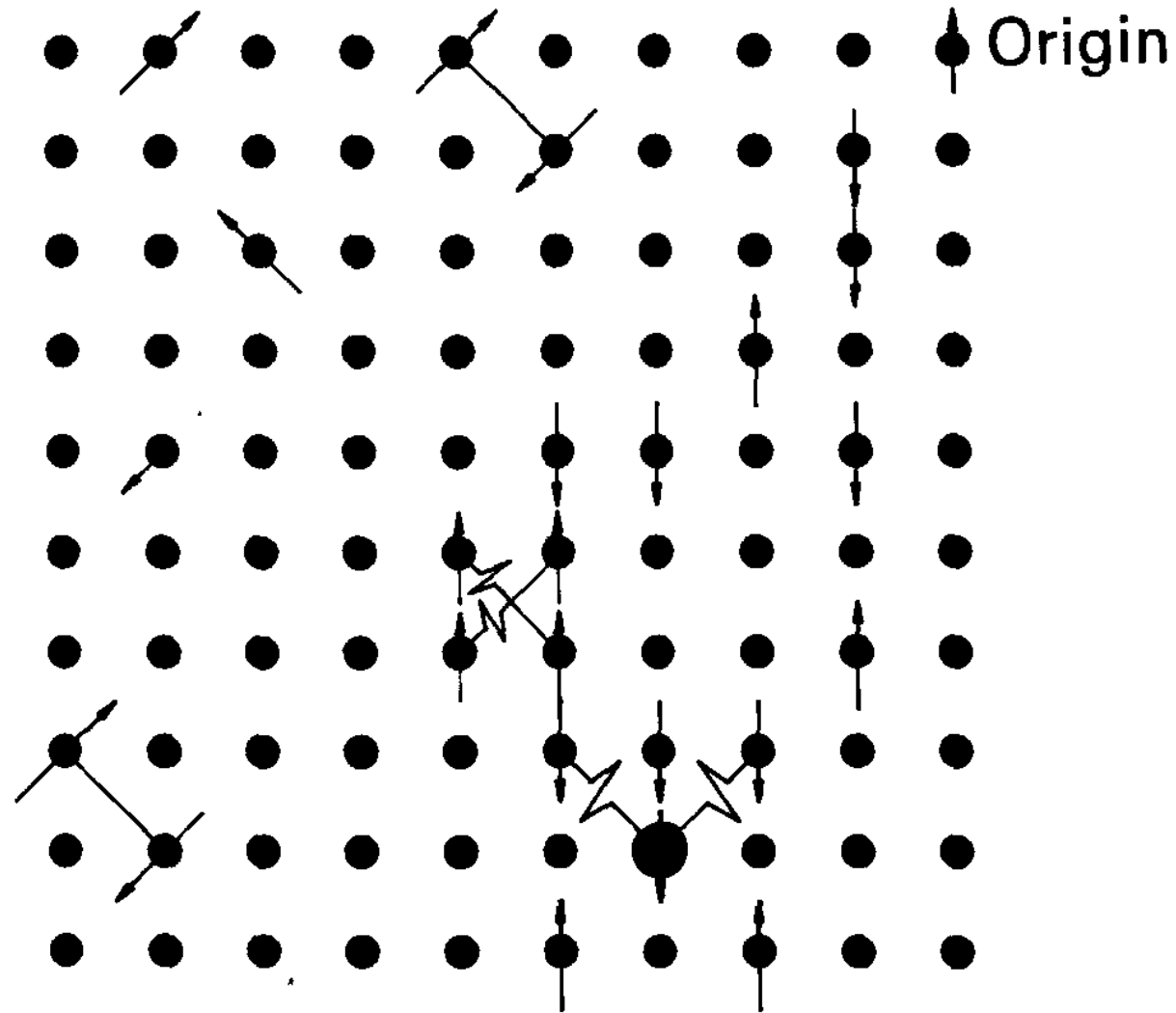


Inelastic Scattering Effect

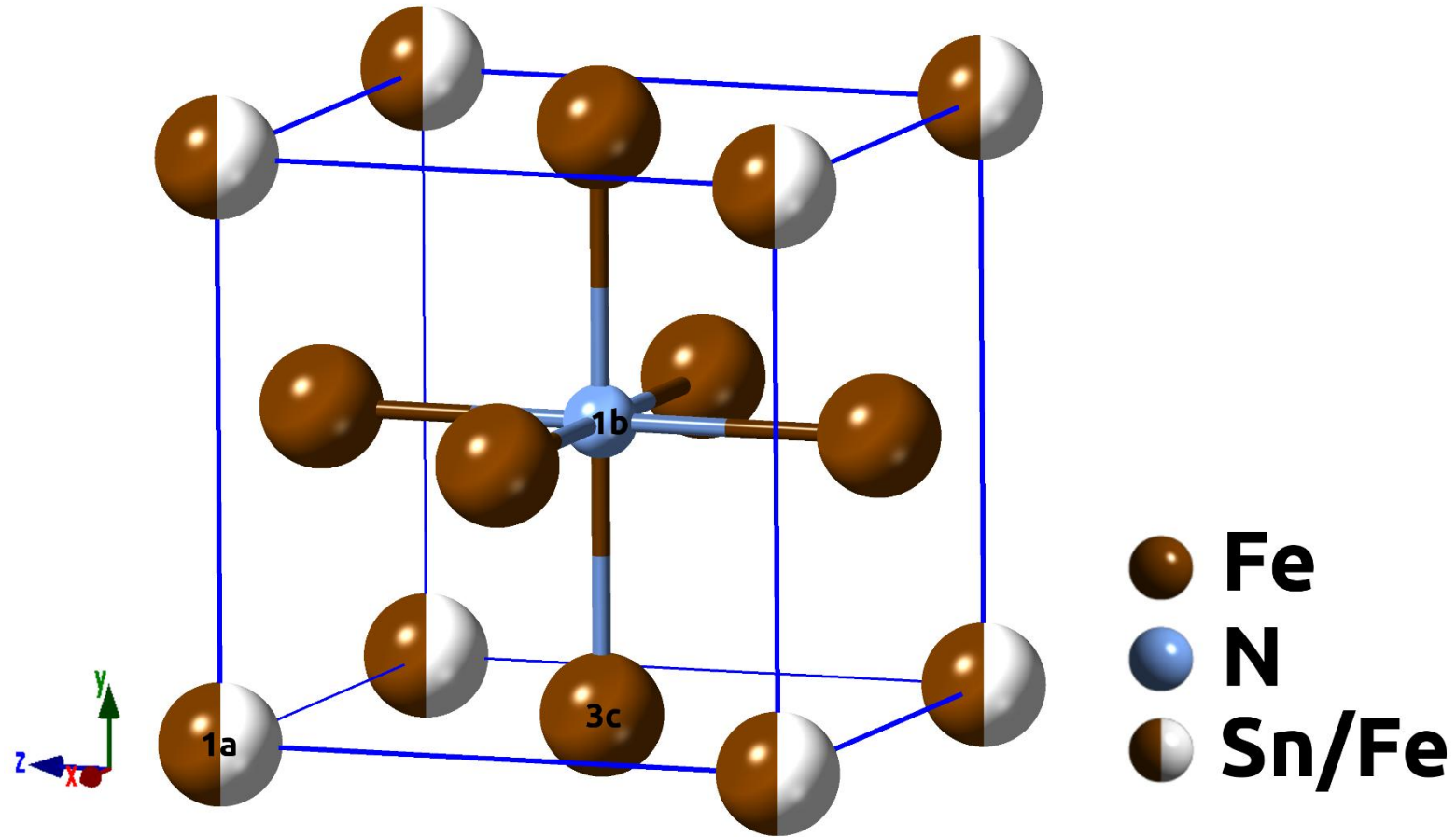
- Mainly in the low- Q region
- Mainly with light elements



Local Magnetic Clustering in Spin Glass $\text{Sn}_x\text{Fe}_{4-x}\text{N}$

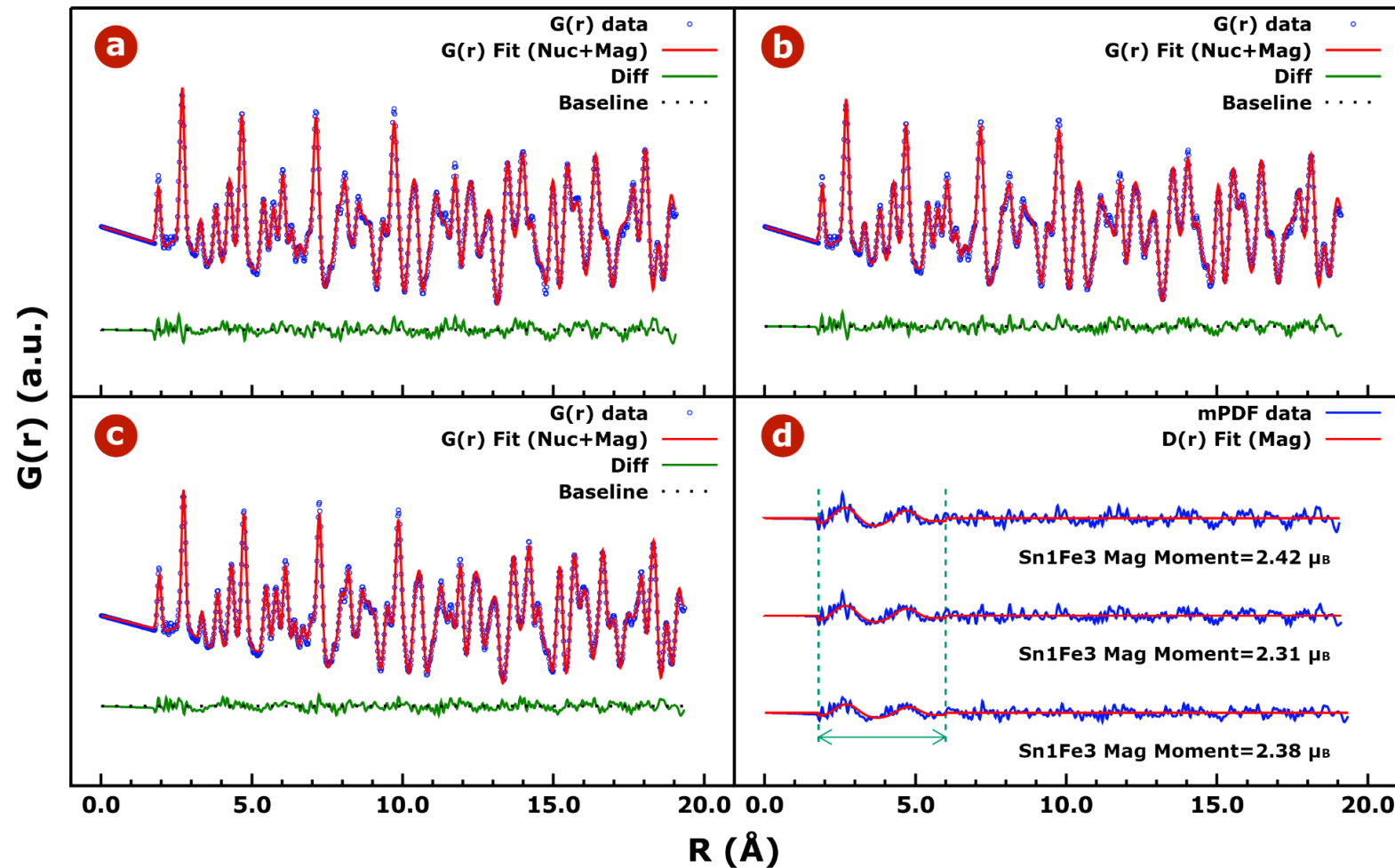


$\text{Sn}_x\text{Fe}_{4-x}\text{N}$ – The Underlying Structure



Substitution happens on the 1a Wyckoff site only

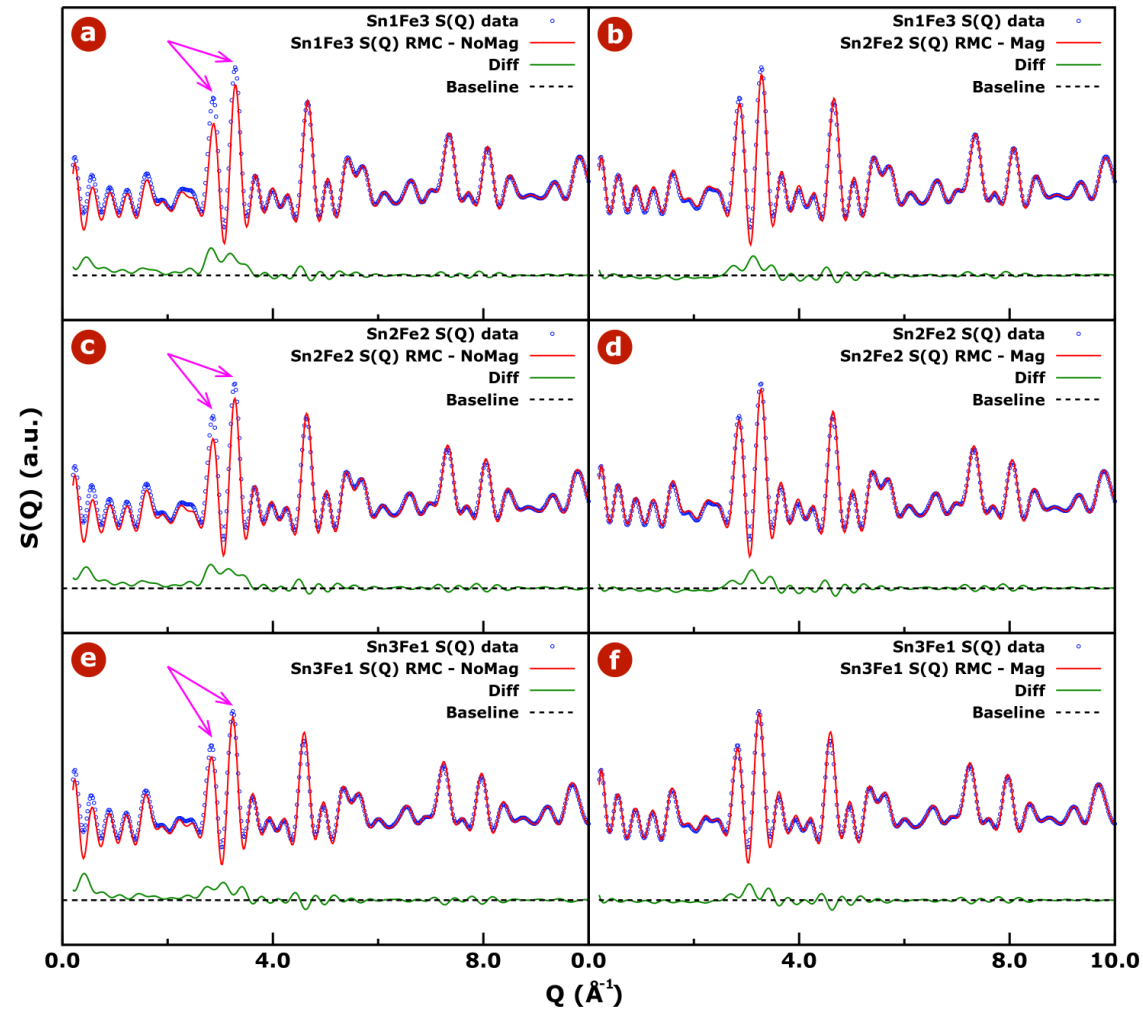
mPDF Fitting in Real Space



Nucleus & Magnetic co-refinement
with diffpy.mpdf

$$S_{fit} = \sqrt{\frac{gB\langle b \rangle^2}{An_s}} S_{norm}$$

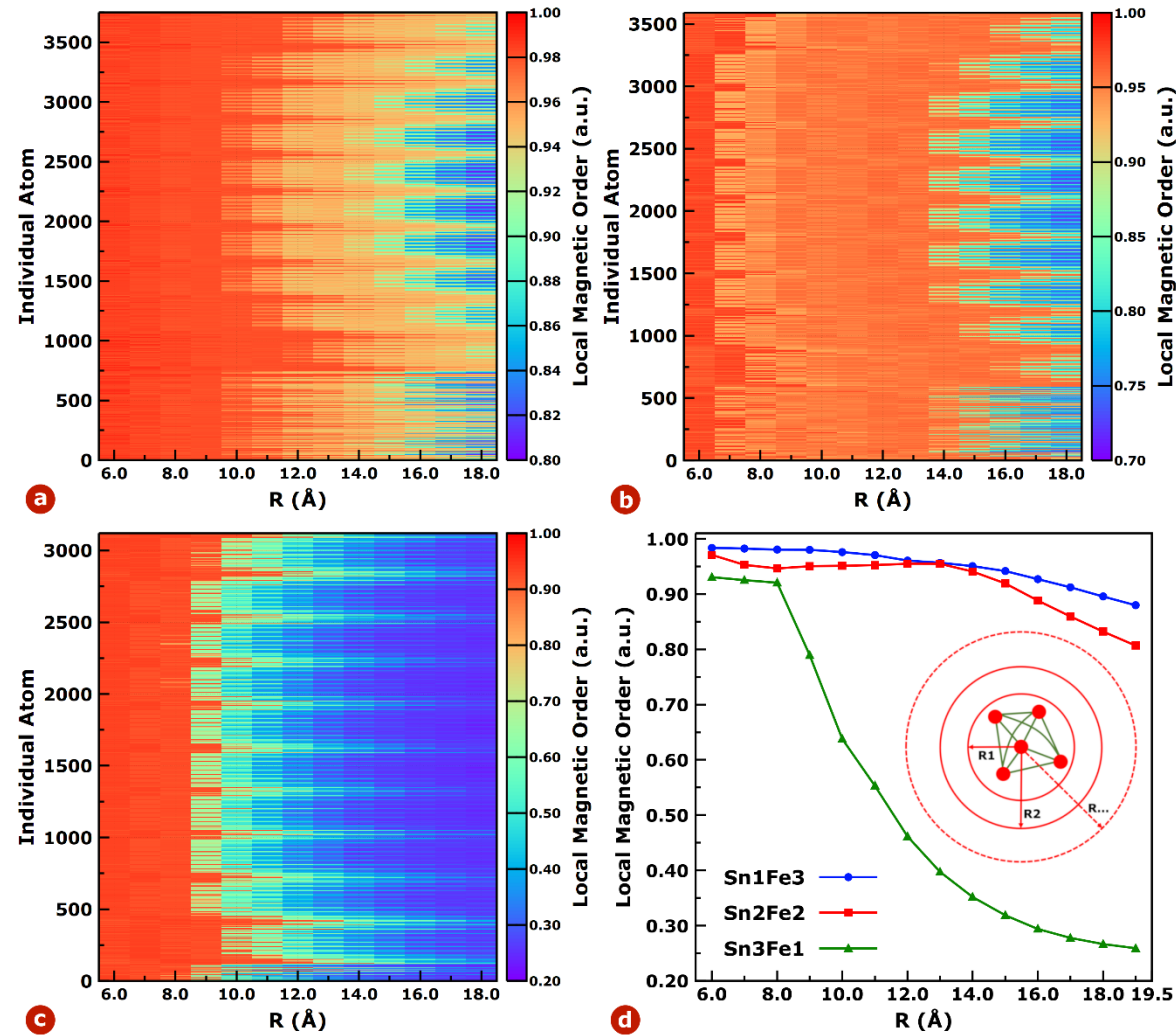
mPDF Fitting in Real Space



RMCProfile fitting in Q -space with (left) and without (right) magnetic contribution.

Local Correlation in Spin Glass

$$g = \langle S_i S_j \rangle_{i \neq j} - \text{Local magnetic order}$$



Local correlation analysis.

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Vasile Ovidiu Garlea
Yongqiang Cheng
Zhiling Dun



Thank you!

Questions?

